

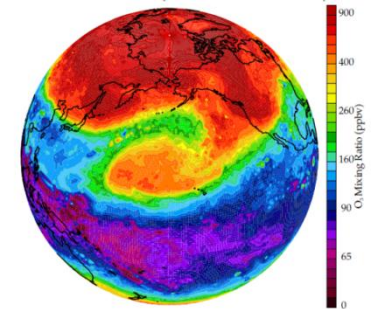
UTLS circulation and transport derived from satellite observations

- UTLS dynamics, circulation and transport
- Stratospheric temperature trends
- UTLS Asian monsoon
- Stratospheric water vapor
- Tropical tropopause layer (TTL)
- Tropical dynamics with GPS radio occultation data

UTLS dynamics, circulation and transport

- Overview: why is the UTLS interesting?
- Circulation and variability of the stratosphere
- Rossby waves: mean flow forcing and dissipation
- Tropospheric baroclinic wave life cycles
- Large-scale tropical circulations
- Zonal mean constituent transport

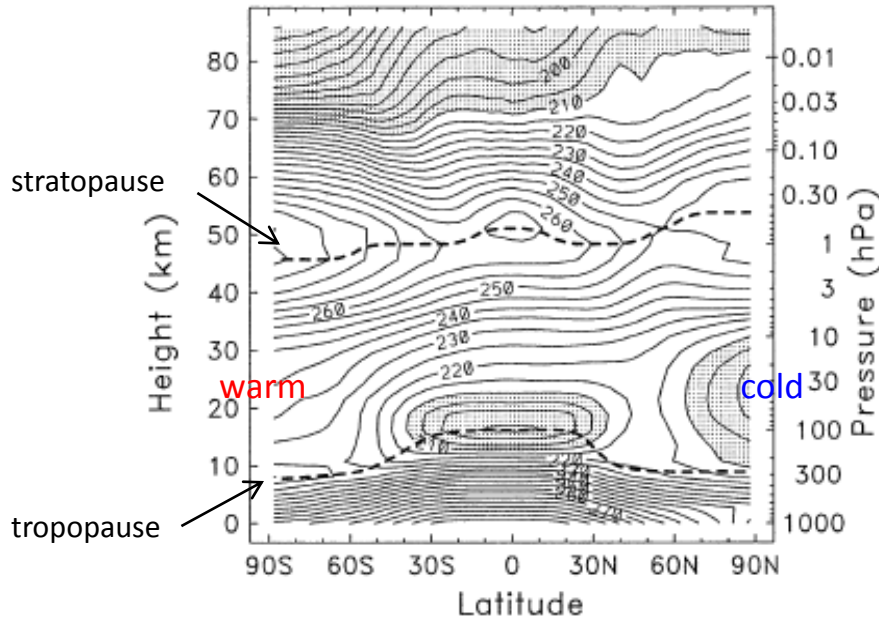
AIRS ozone 360 K



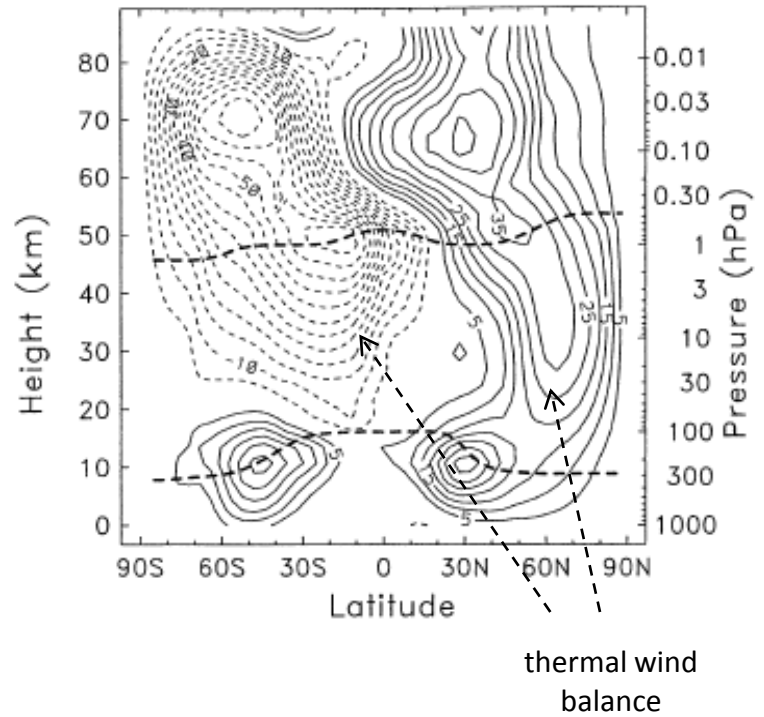
Climatological temperatures and zonal winds in January



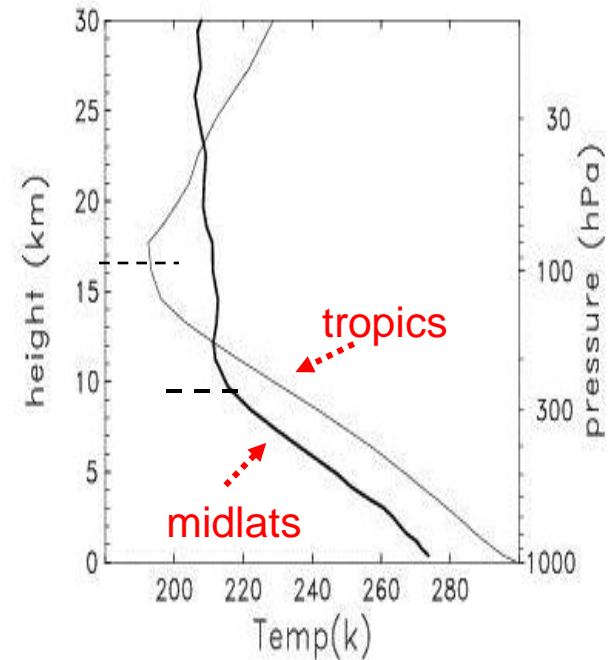
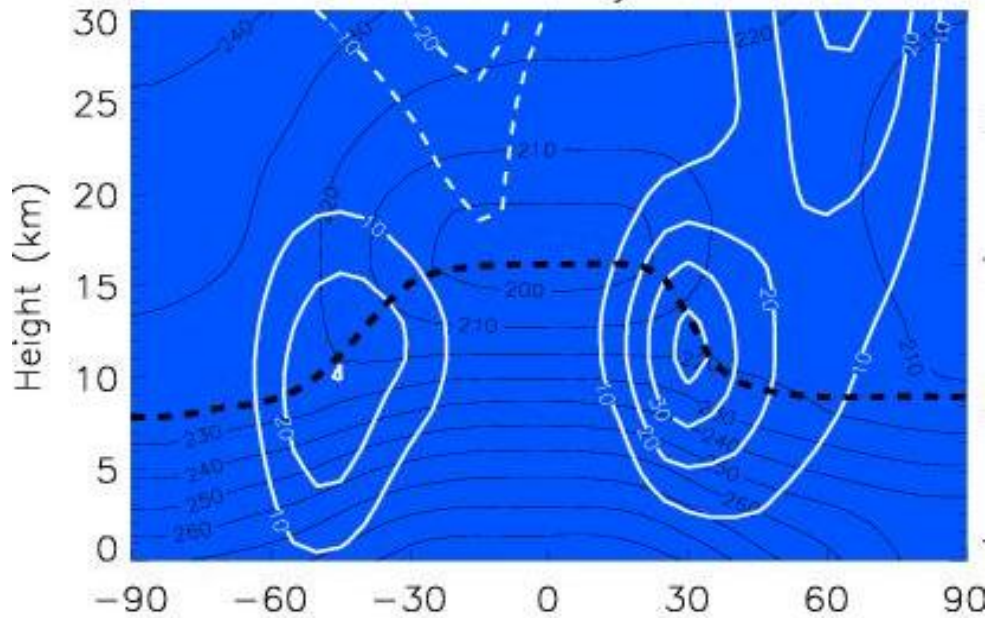
January temperature



January zonal wind



Global structure of the tropopause:



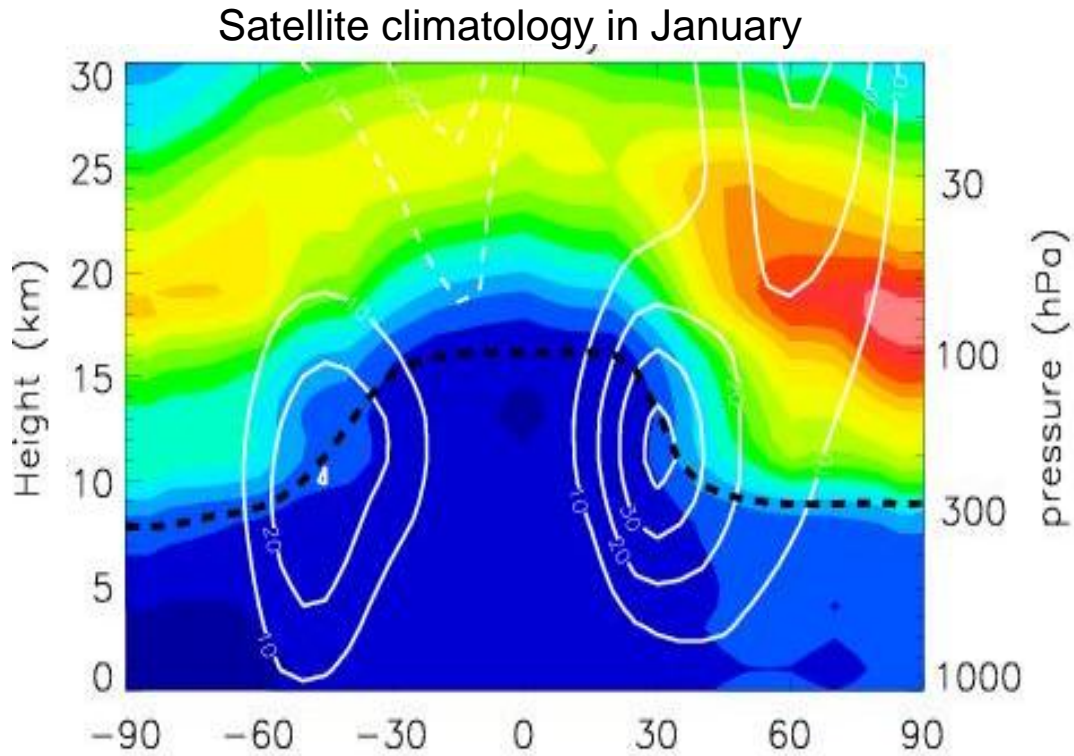
Strong change in stability across the tropopause:

- Troposphere: vertically well-mixed; via convection and baroclinic instability
- Stratosphere: dynamically stable (mostly); circulation forced by radiation and forcing from troposphere (upward propagating waves)

Ozone

- Formed in stratosphere (stratospheric source gas)
- Long lifetime in lower stratosphere
- Strong gradients across tropopause

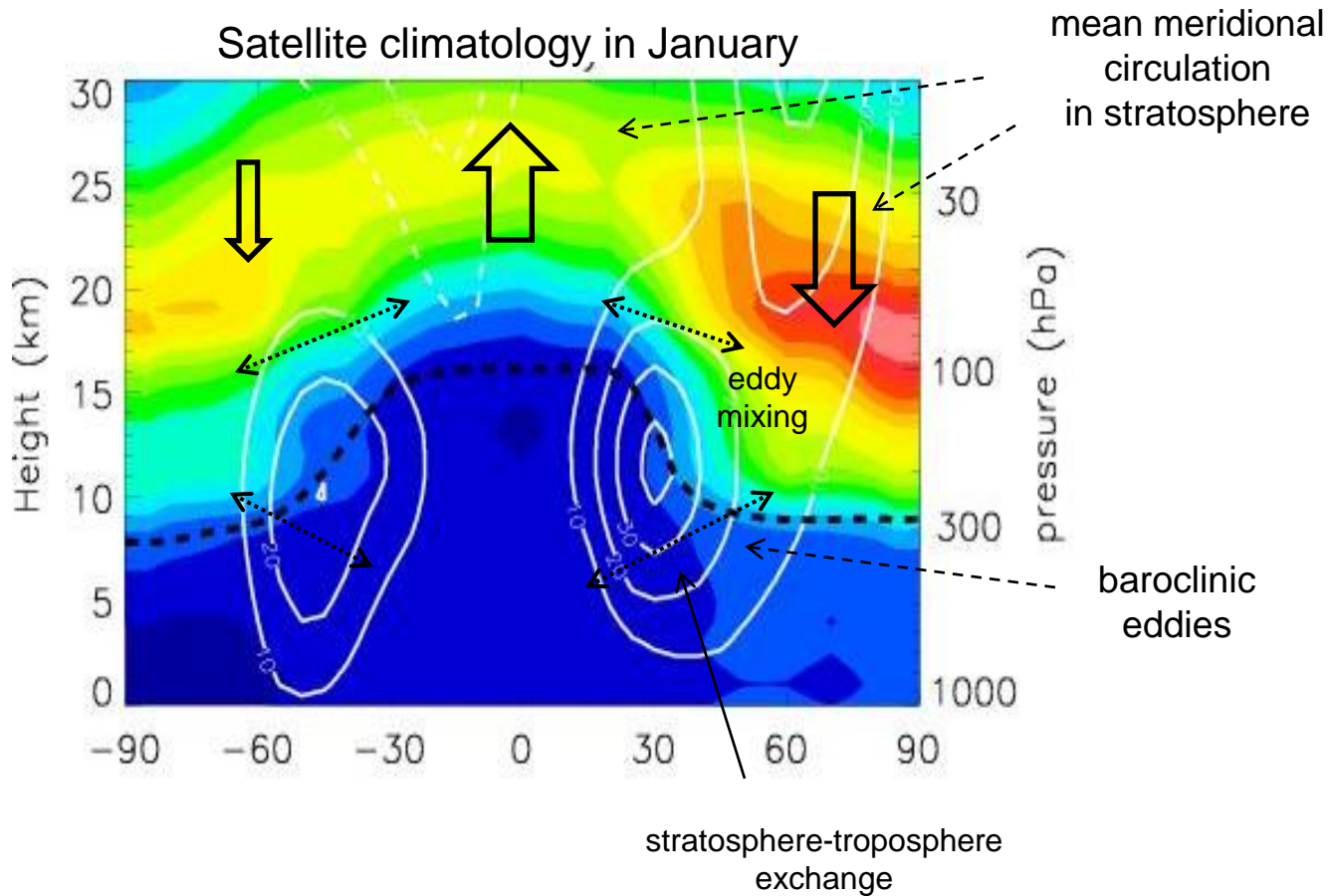
Ozone column density, DU/km



Ozone

- Formed in stratosphere (stratospheric source gas)
- Long lifetime in lower stratosphere
- Strong gradients across tropopause

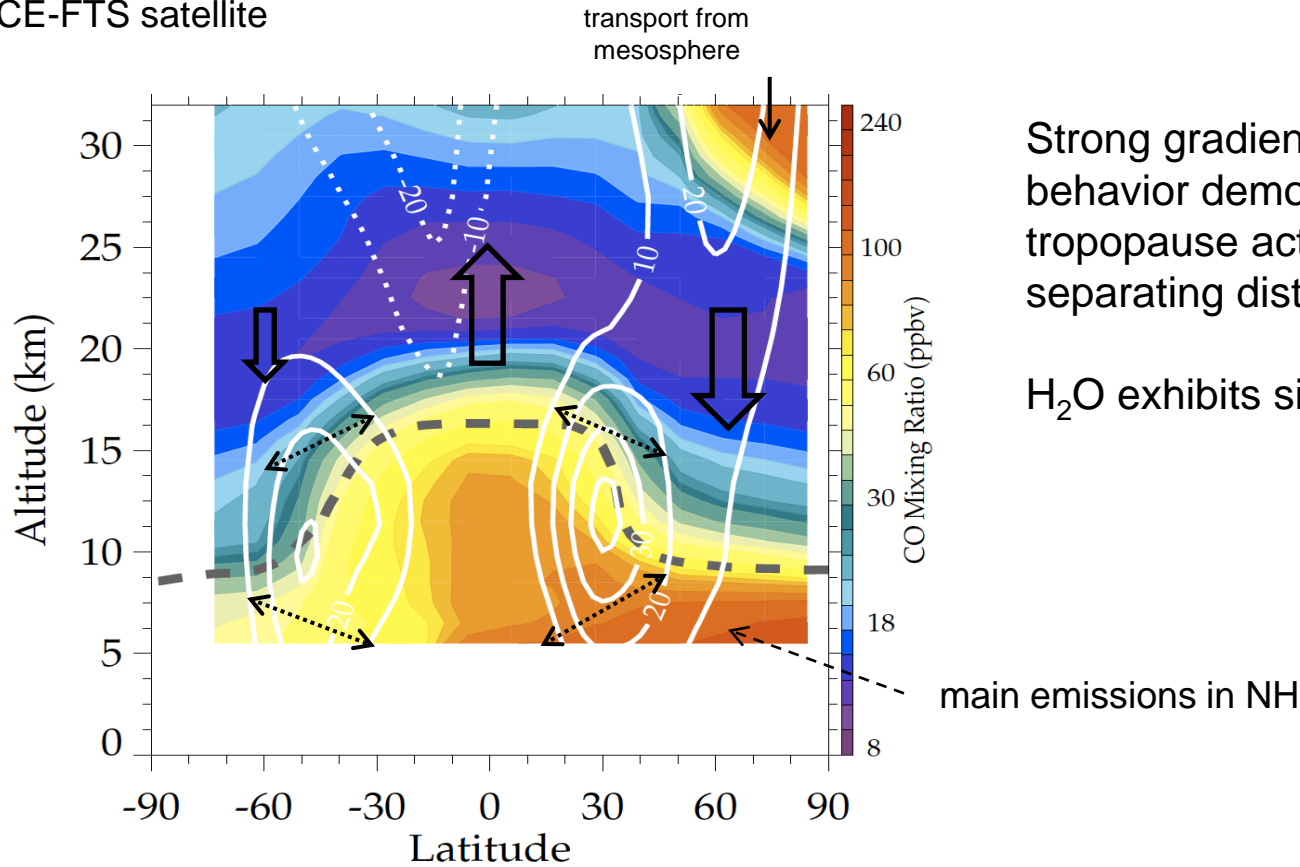
Ozone column density, DU/km



Carbon monoxide (CO)

- Emitted from combustion (tropospheric source gas)
- Photochemical lifetime of ~2 months (useful as a dynamical tracer)
- Strong gradients across tropopause

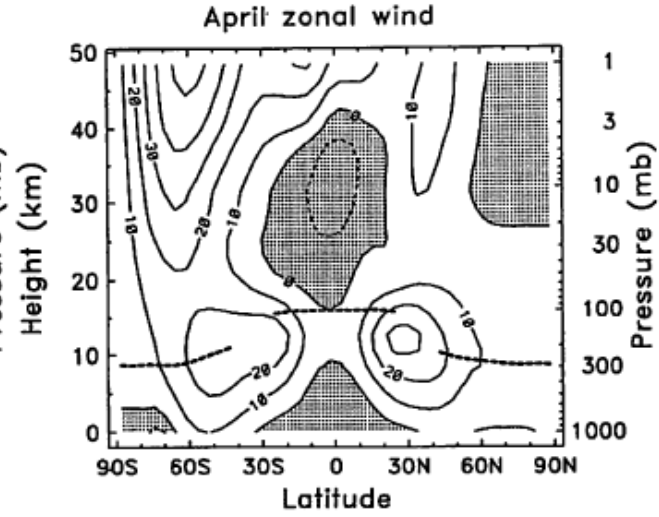
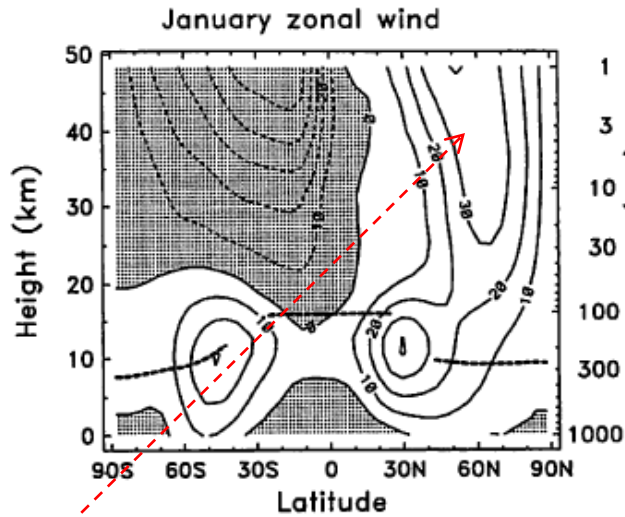
Measurements from ACE-FTS satellite



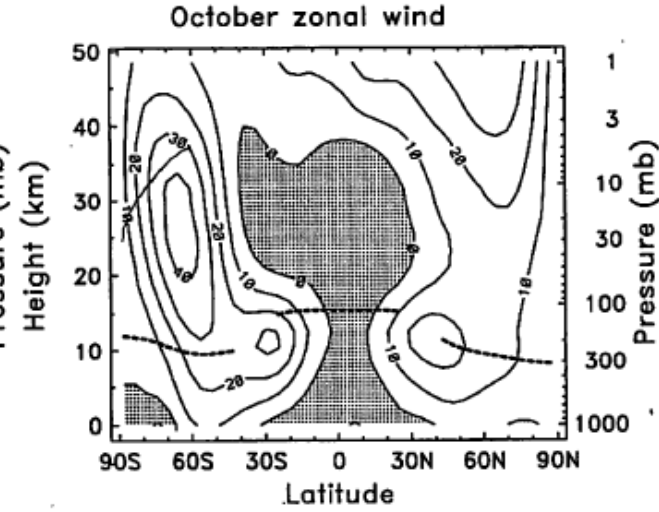
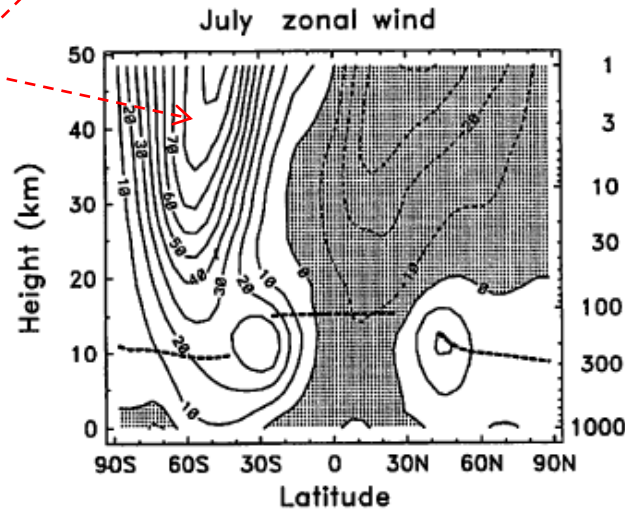
Strong gradients in chemical behavior demonstrates that the tropopause acts as a boundary separating distinct air masses

H₂O exhibits similar behavior

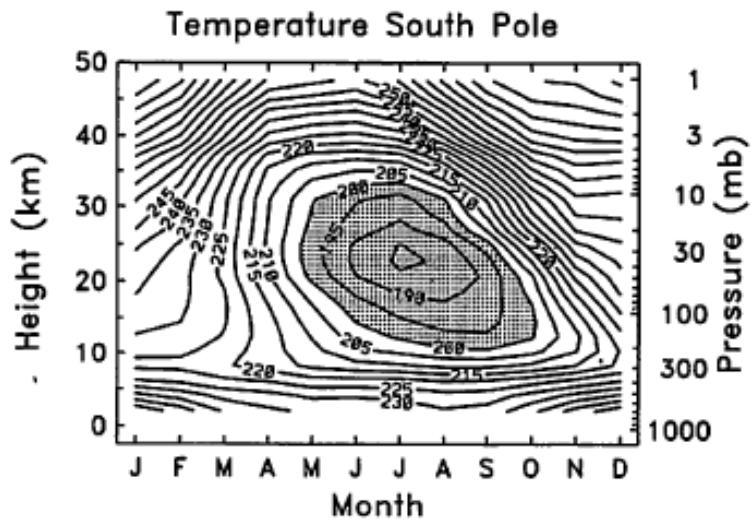
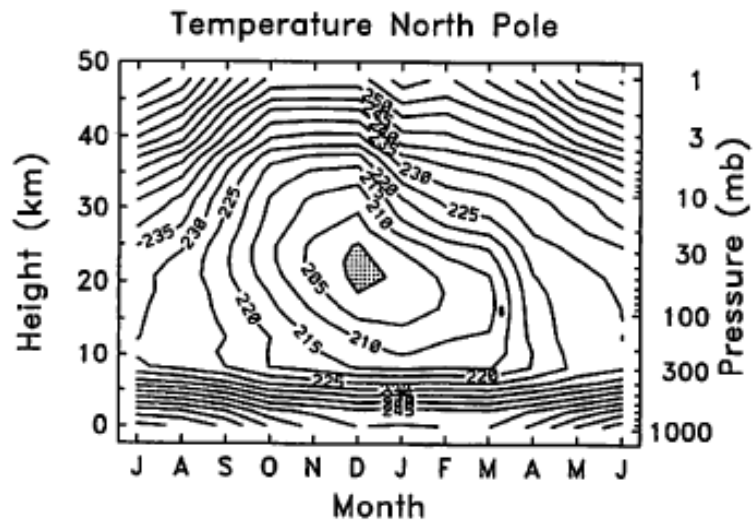
Stratospheric circulation: seasonal cycle of zonal mean winds



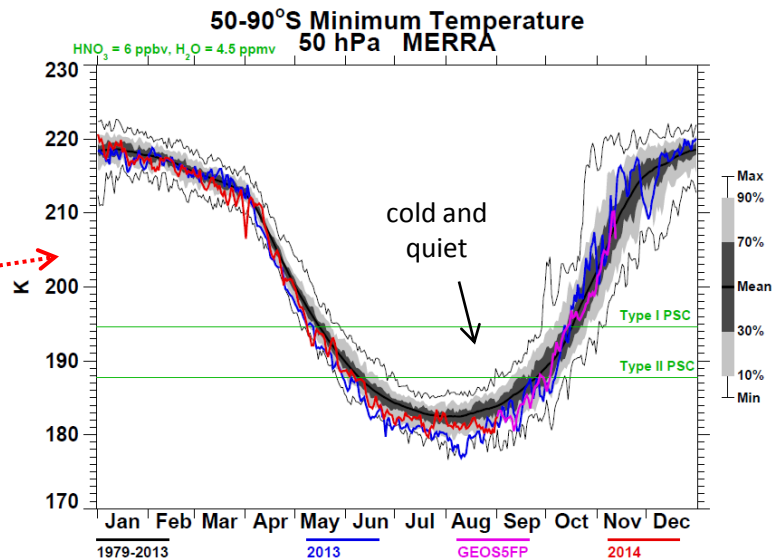
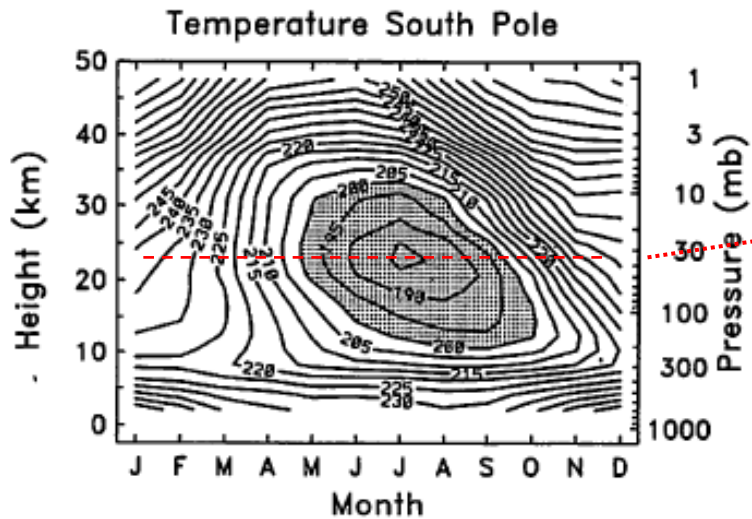
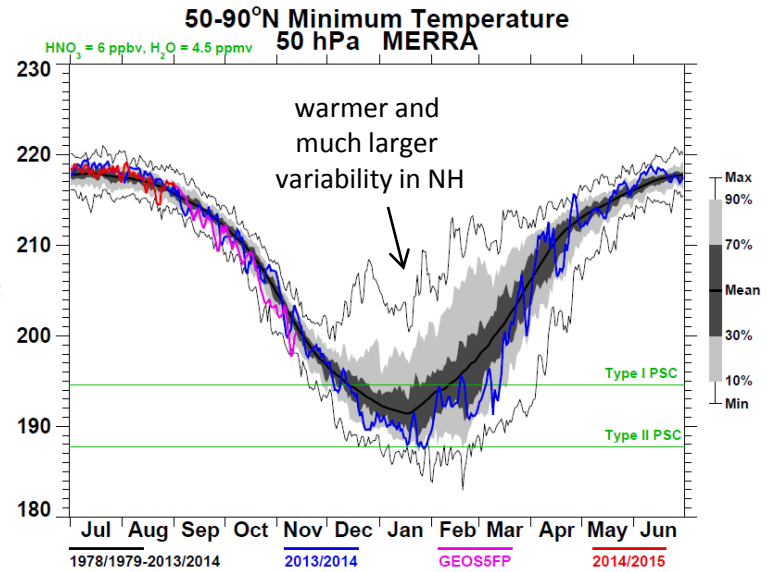
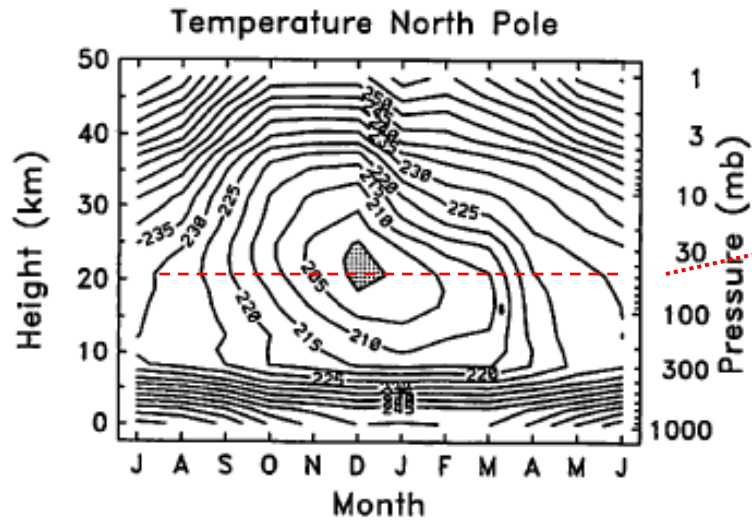
polar night jet
stronger in SH
than in NH

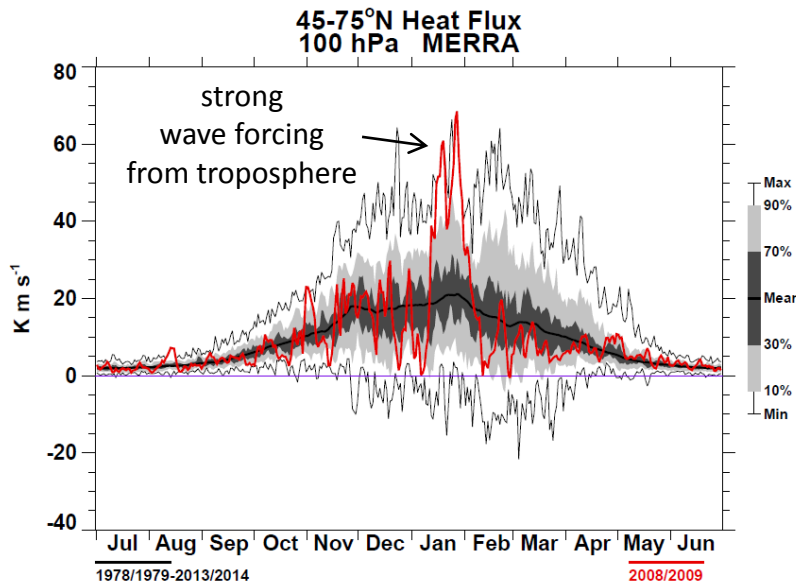
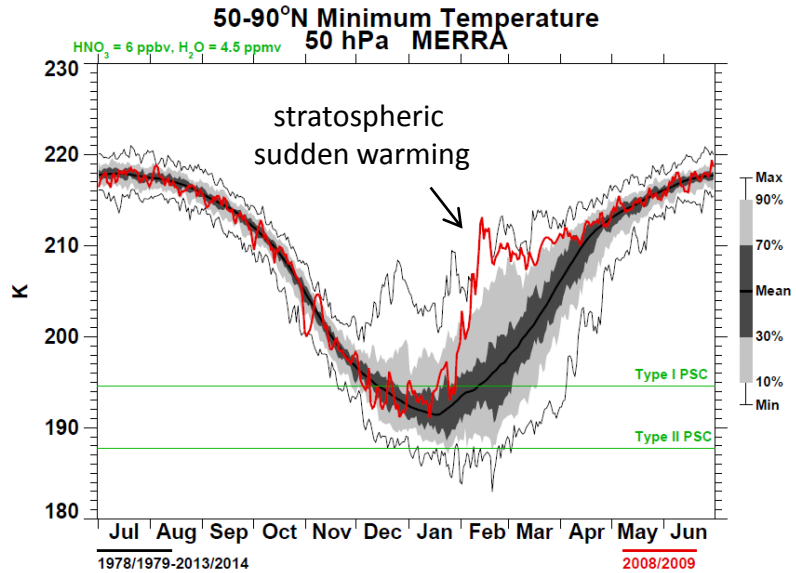


climatological polar temperature

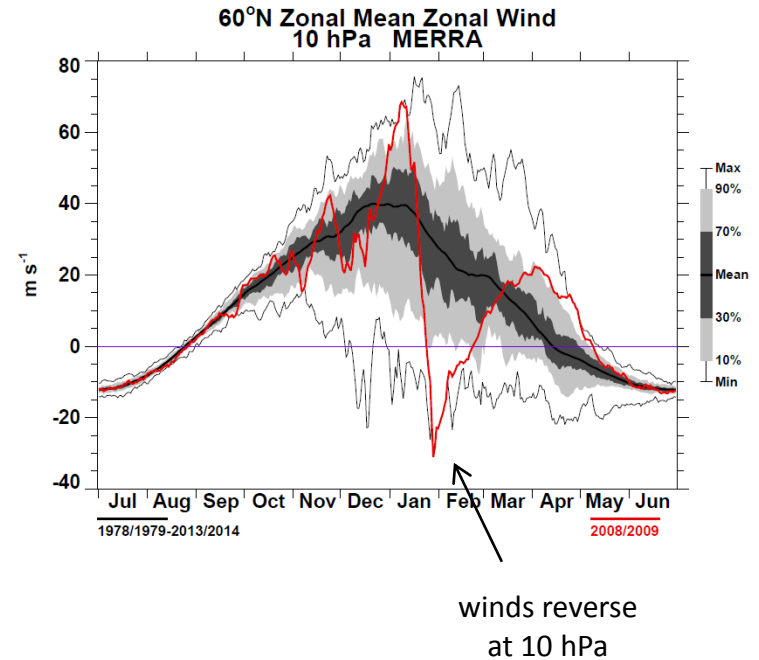


climatological polar temperature





- Variability in NH winter stratosphere tied to large-scale forcing from troposphere.
- Episodic forcing produces 'stratospheric sudden warming' events.
- Largest observed stratosphere sudden warming in January 2009



A Major Stratospheric Sudden Warming Event in January 2009

YAYOI HARADA, ATSUSHI GOTO, HIROSHI HASEGAWA, AND NORIHISA FUJIKAWA

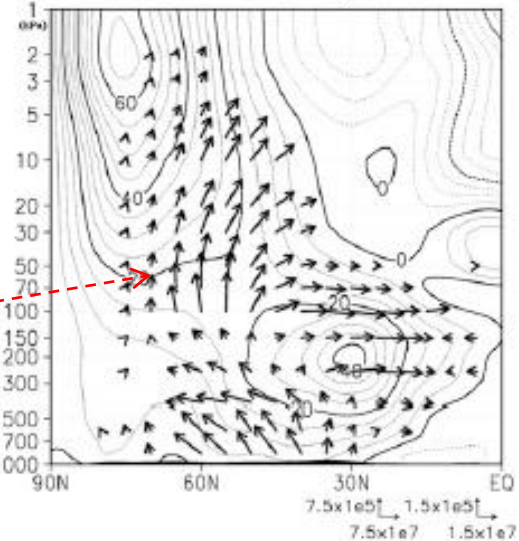
Climate Prediction Division, Japan Meteorological Agency, Tokyo, Japan

JAS 2010

EP flux



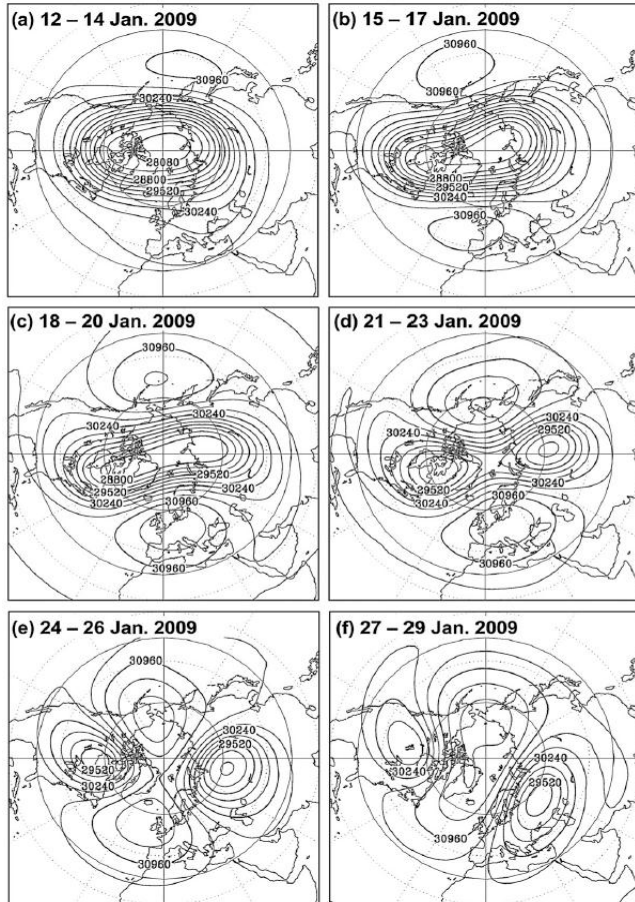
(I) 18-20Jan. 2009, U & EPF



wave forcing from troposphere

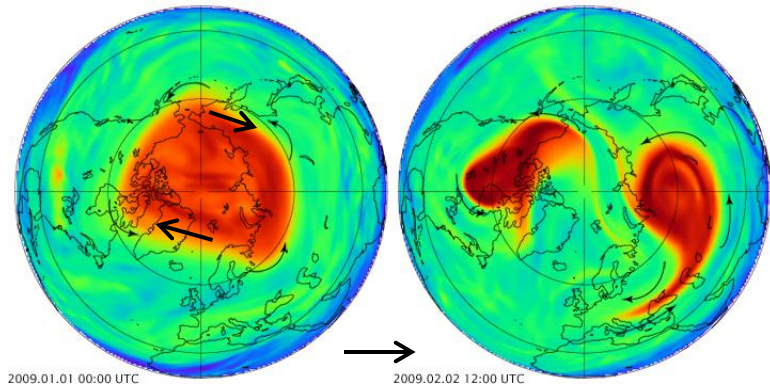
splitting of the polar vortex

(Z at 10 hPa)



polar vortex near 30 km

potential vorticity



split of polar vortex

FIG. 3. The 10-hPa geopotential heights for six successive 3-day means in January 2009. The contour interval is 240 m.

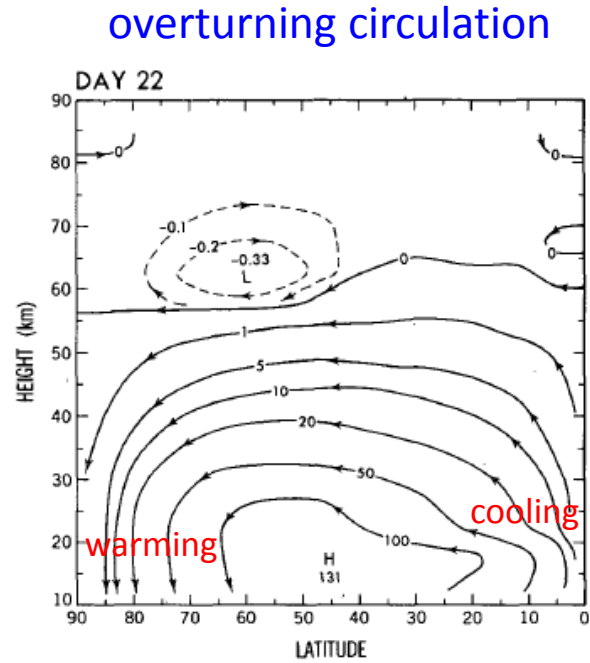
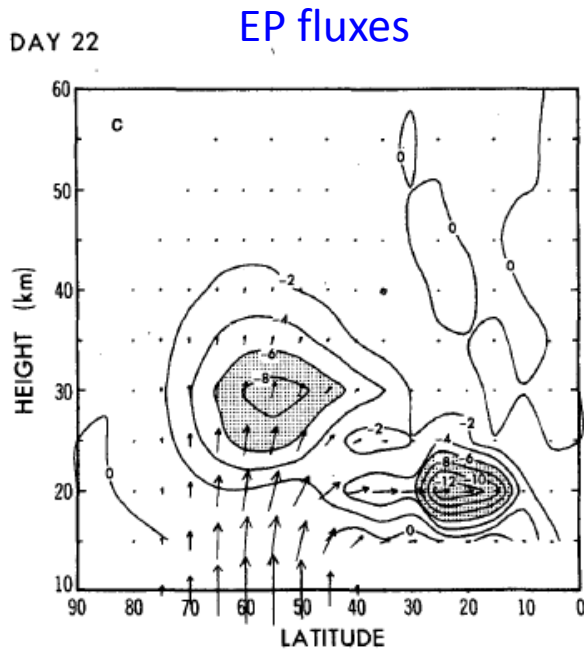
A Dynamical Model of the Stratospheric Sudden Warming

TAROH MATSUNO¹

Geophysical Fluid Dynamics Laboratory, NOAA, Princeton University, Princeton, N. J.

(Manuscript received 29 March 1971, in revised form 16 August 1971)

← solution to puzzle of stratospheric warmings



Some Eulerian and Lagrangian Diagnostics for a Model Stratospheric Warming¹

T. DUNKERTON, C.-P. F. HSU² AND M. E. MCINTYRE³

Department of Atmospheric Sciences, University of Washington, Seattle 98195

(Manuscript received 30 May 1980, in final form 11 December 1980)

JAS 1981

Governing equations for the zonal mean flow (Transformed Eulerian mean)

EP flux divergence (wave forcing)

zonal momentum balance

$$\frac{\partial \bar{u}}{\partial t} - \hat{f} \bar{v}^* = \text{DF}$$

thermodynamic balance

$$\frac{\partial \bar{T}}{\partial t} + \bar{v}^* \frac{1}{a} \frac{\partial \bar{T}}{\partial \phi} + \bar{w}^* S = \bar{Q},$$

continuity equation

$$(a \cos \phi)^{-1} \frac{\partial}{\partial \phi} (\bar{v}^* \cos \phi) + e^{z/H} \frac{\partial}{\partial z} (\bar{w}^* e^{-z/H}) = 0,$$

geostrophic thermal wind

$$f \frac{\partial \bar{u}}{\partial z} + \frac{R}{aH} \frac{\partial \bar{T}}{\partial \phi} = 0.$$

Andrews et al, 1987

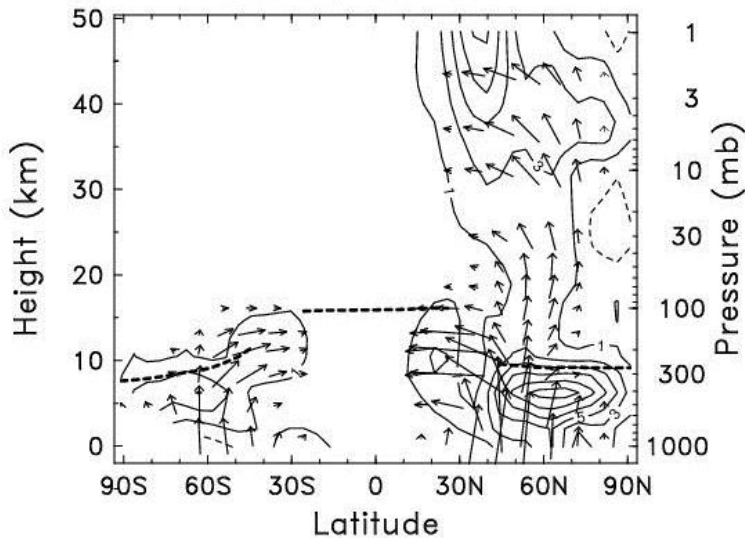
Eliassen-Palm fluxes:

EP flux divergence (wave forcing)

$$\frac{\partial \bar{u}}{\partial t} - \hat{f} \bar{v}^* = DF \quad DF = \frac{\exp(z/H)}{a \cos \phi} \nabla \cdot \mathbf{F}$$

climatology

January EP flux



components:

latitudinal flux

$$F_{\phi} = \exp(-z/H) a \cos \phi \left[-\overline{u'v'} \right]$$

momentum flux

vertical flux

$$F_z = \exp(-z/H) a \cos \phi \left[\overline{v'T'} \right]$$

heat flux

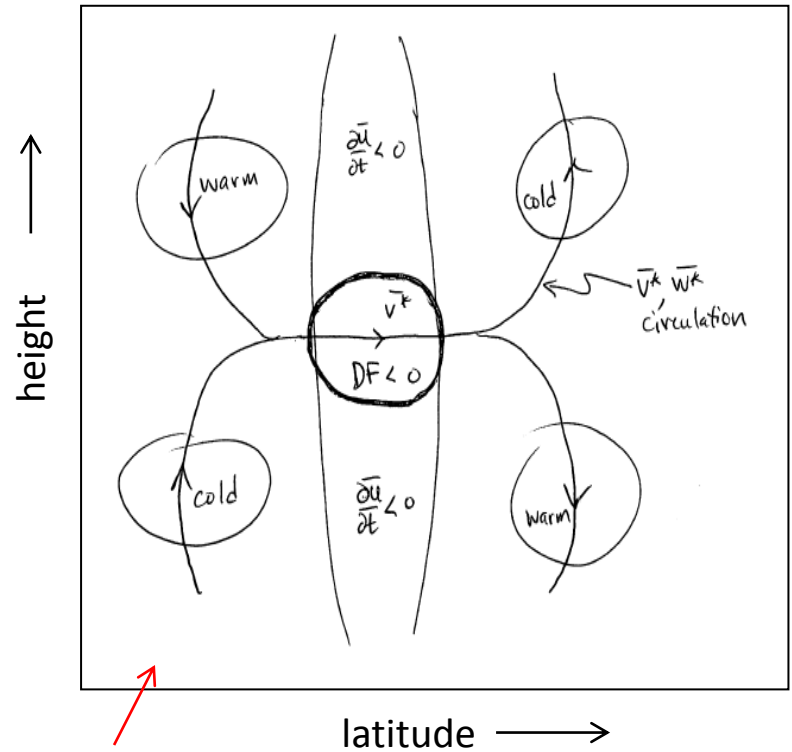
Important points:

- DF quantifies zonal momentum forcing
- \mathbf{F} proportional to 'wave activity' flux (DF shows sources and sinks of waves)
- F_{ϕ} and F_z indicate direction of wave propagation

Response of a balanced vortex to localized EP flux forcing (DF)

$$\frac{\partial \bar{u}}{\partial t} - f \bar{v}^* = DF$$

- response is balanced between $\frac{\partial \bar{u}}{\partial t}$ and $f \bar{v}^*$
- \bar{v}^* , \bar{w}^* and $\frac{\partial \bar{u}}{\partial t}$ act to extend DF forcing non-locally
- overall circulation maintains thermal wind balance



effects of forcing extended in altitude and latitude

Circulation response depends on frequency of forcing:

Combine equations:

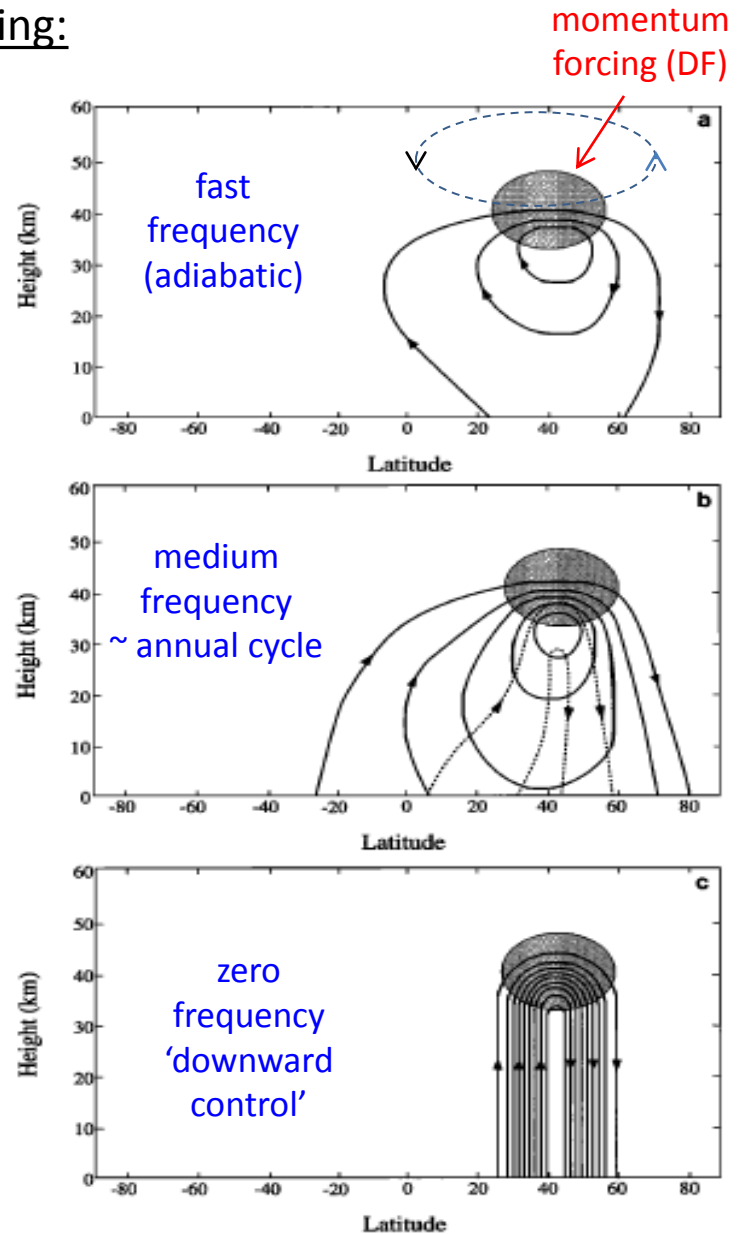
$$\frac{\partial}{\partial z} \left(\frac{1}{\rho_0} \frac{\partial(\rho_0 \hat{w})}{\partial z} \right) \quad \text{time dependence}$$

$$+ \left(\frac{i\sigma}{i\sigma + \alpha} \right) \frac{N^2}{4\Omega^2 a^2 \cos \phi} \frac{\partial}{\partial \phi} \left(\frac{\cos \phi}{\sin^2 \phi} \frac{\partial \hat{w}}{\partial \phi} \right)$$

$$= \left(\frac{i\sigma}{i\sigma + \alpha} \right) \frac{(R/H)}{4\Omega^2 a^2 \cos \phi} \frac{\partial}{\partial \phi} \left(\frac{\cos \phi}{\sin^2 \phi} \frac{\partial \hat{Q}}{\partial \phi} \right) \quad \leftarrow \text{diabatic heating}$$

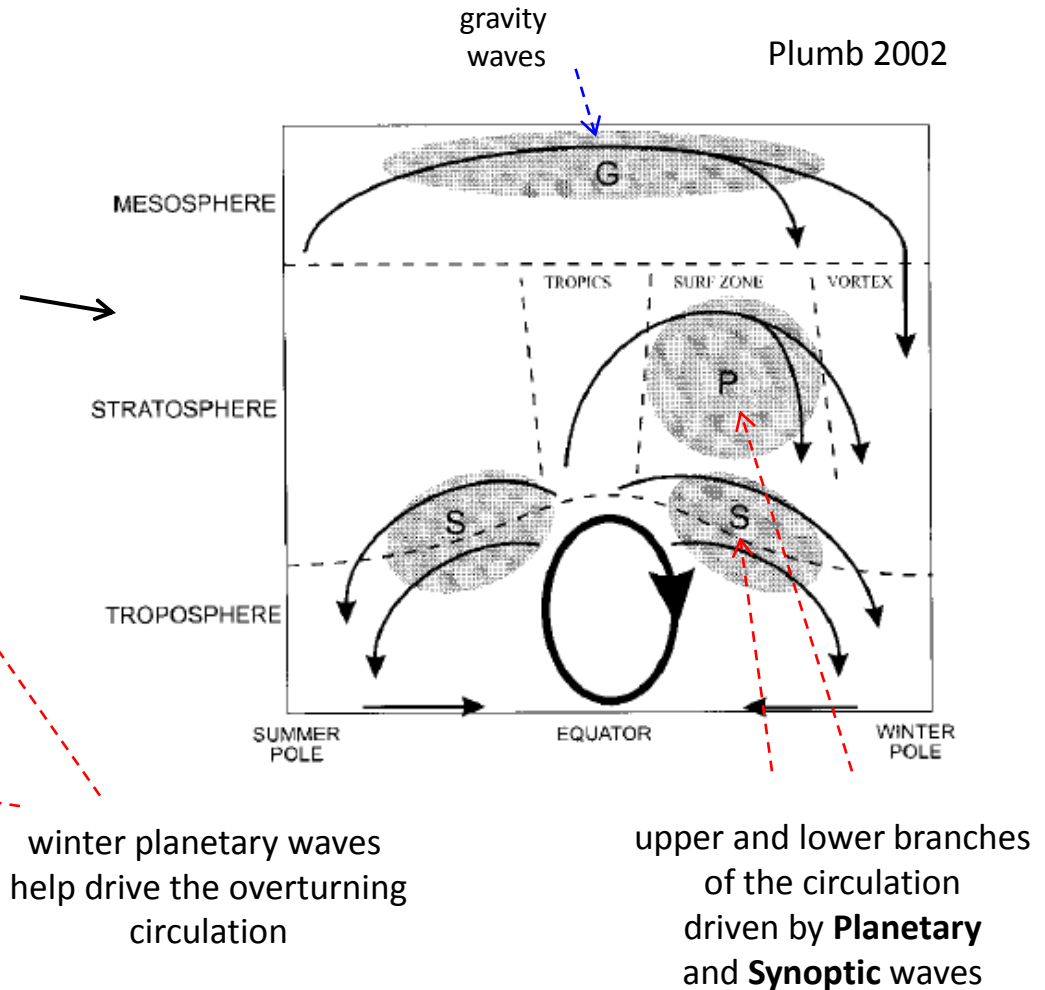
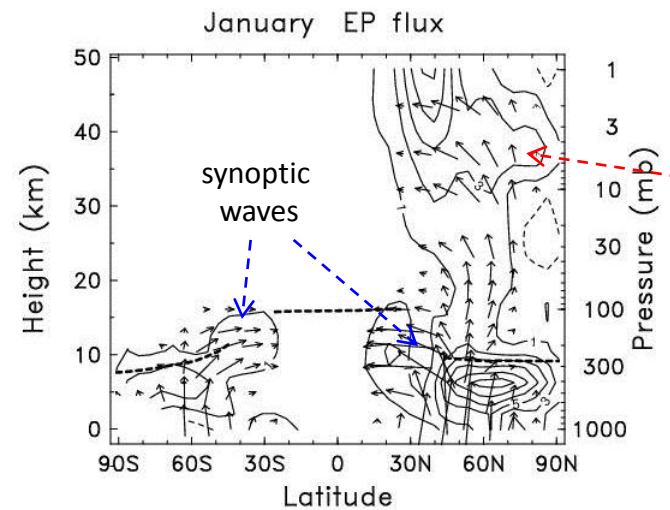
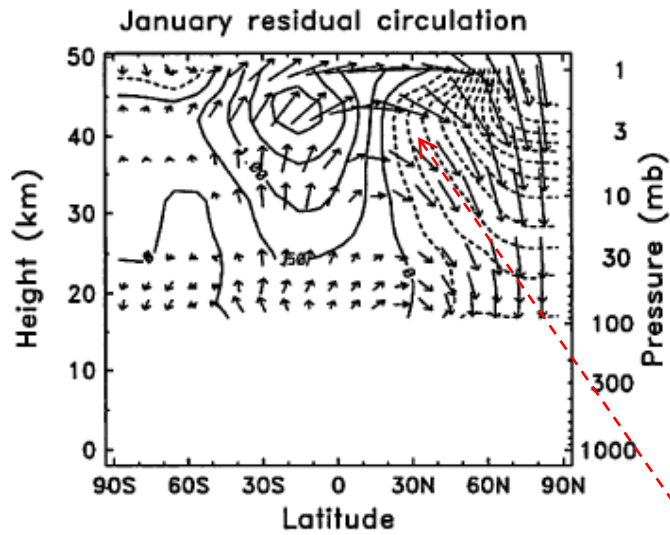
$$+ \frac{1}{2\Omega a \cos \phi} \frac{\partial}{\partial \phi} \left(\frac{\cos \phi}{\sin \phi} \frac{\partial \hat{G}}{\partial z} \right) \quad \leftarrow \text{momentum forcing (DF)}$$

In general both Q and DF drive the mean circulation. These plots show the response to isolated forcing from Rossby wave EP flux divergence. The lower cell becomes more important for slower forcing.

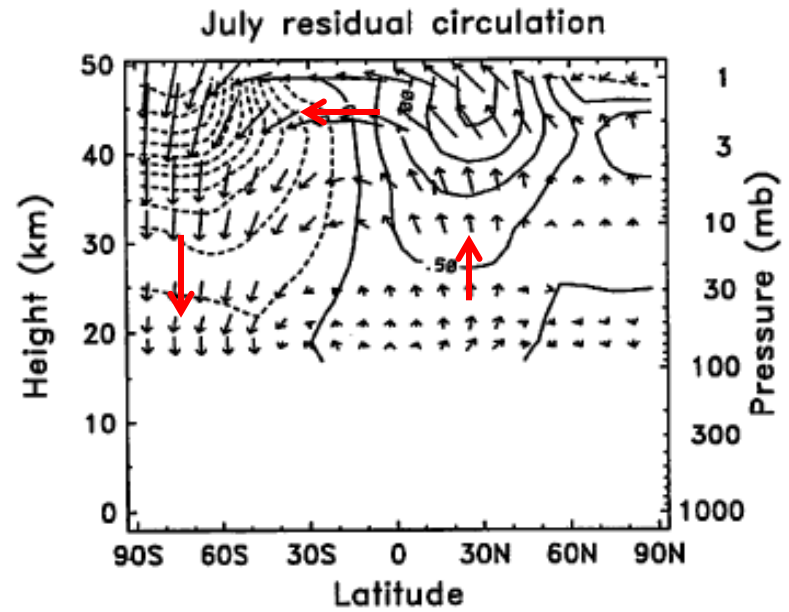
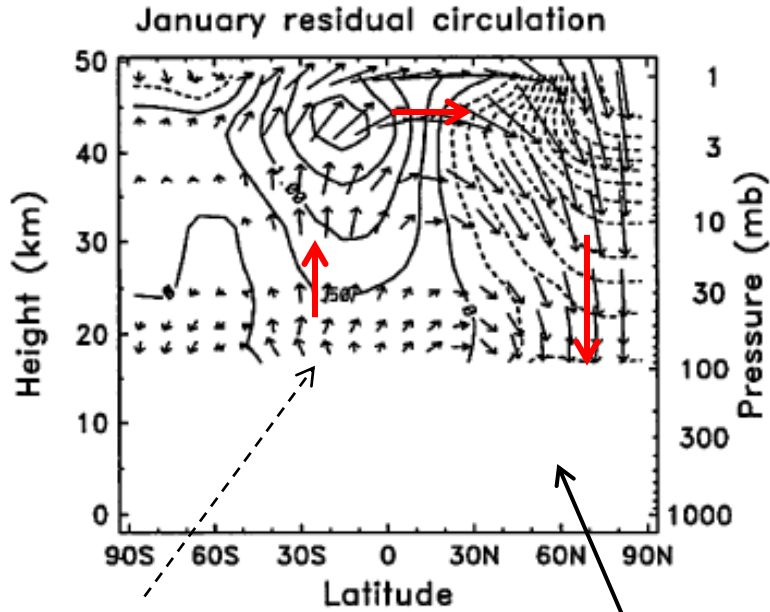


Haynes et al 1991
Holton et al 1995

Climatology of stratospheric overturning circulation



The overturning circulation reverses between solstice seasons



stronger tropical upwelling during boreal winter

circulation is stronger during NH winter, related to stronger wave forcing from troposphere

The stratospheric overturning circulation is often termed the Brewer-Dobson circulation (closely related to the Lagrangian or transport circulation)

deduced by Brewer (1949) studying stratospheric water vapor and Dobson (1956) studying stratospheric ozone

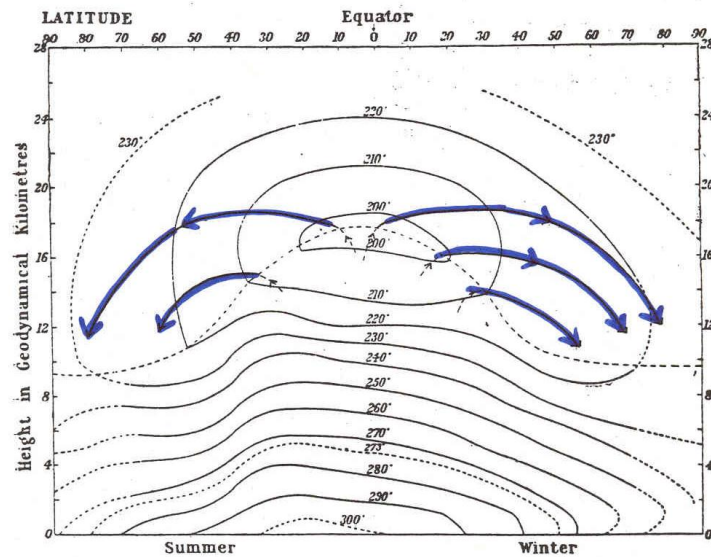
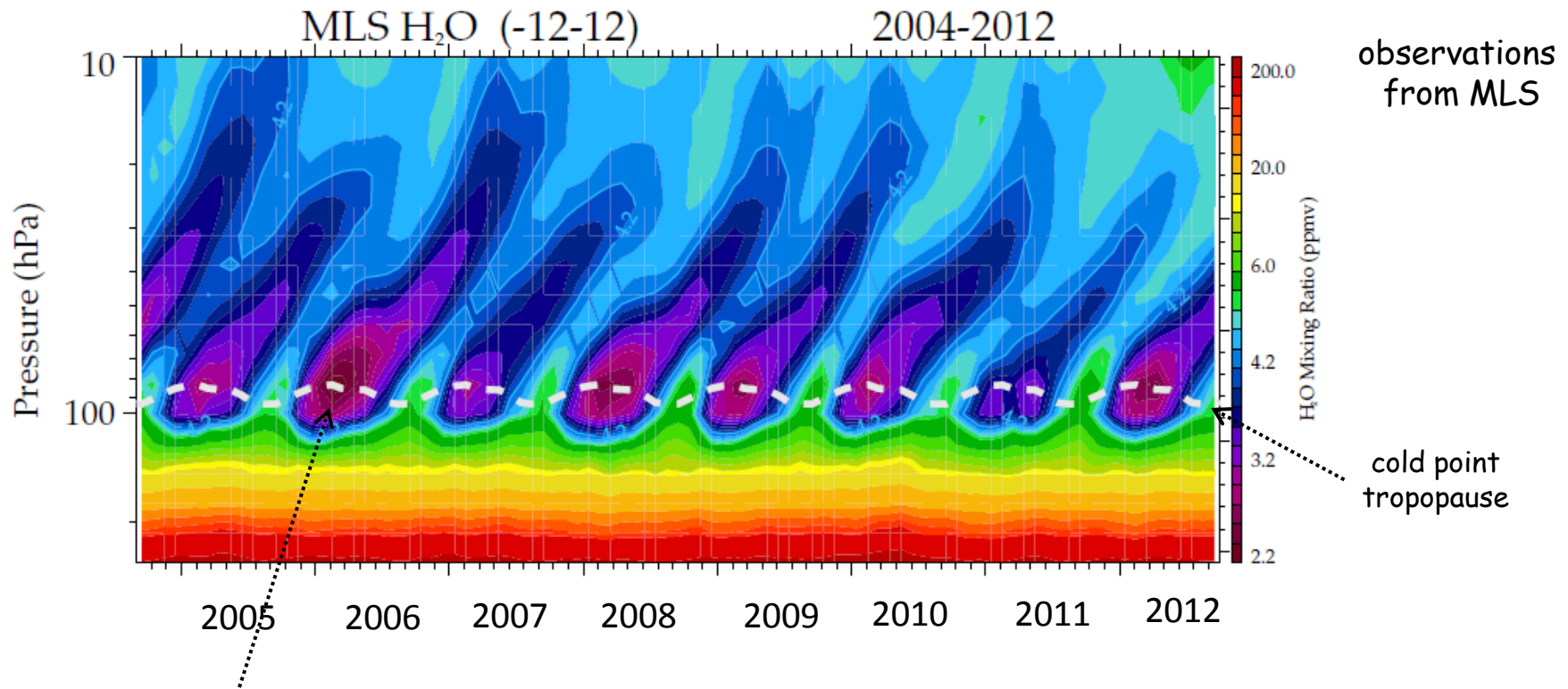


FIG. 5. A supply of dry air is maintained by a slow mean circulation from the equatorial tropopause.

see recent review by Butchart 2014

Annual cycle: stronger tropical upwelling, colder temperatures and low H₂O



- annual cycle in tropopause temperature imparts annual cycle in H₂O
- upward propagation with Brewer-Dobson circulation

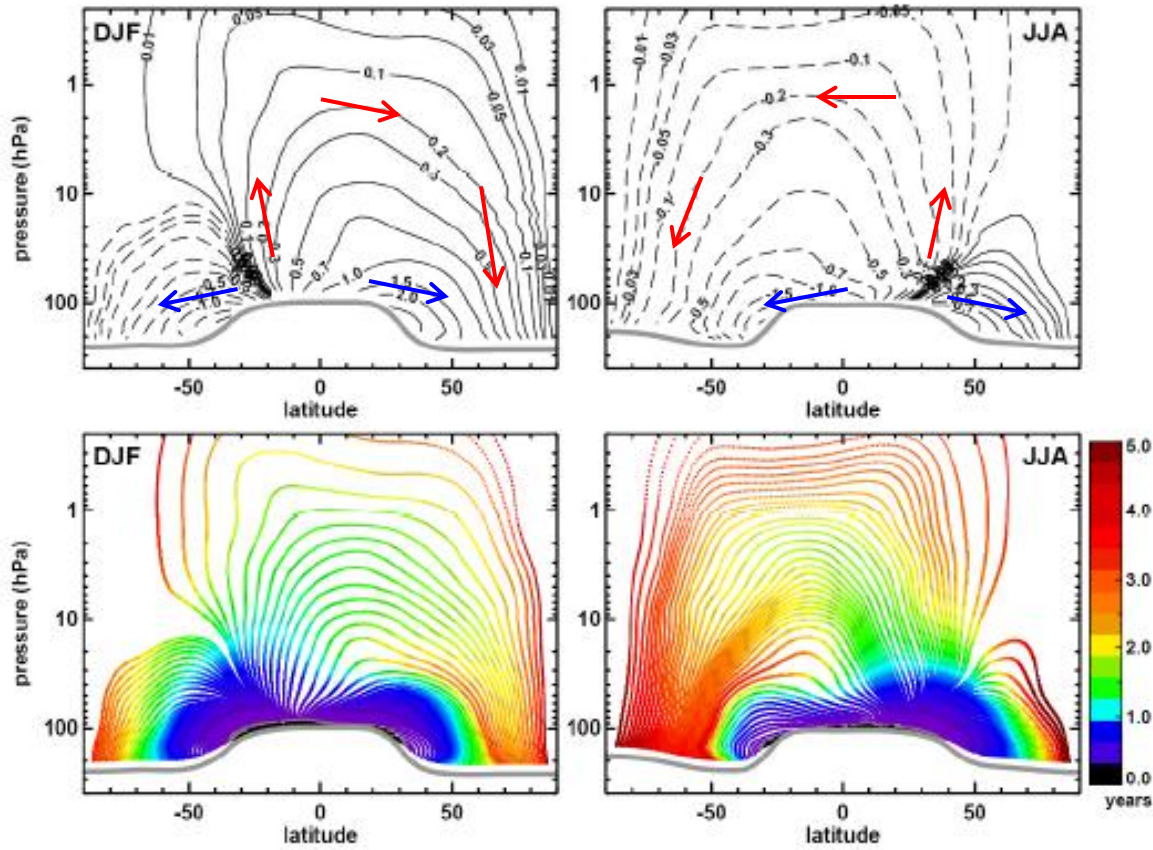
Residual circulation trajectories and transit times into the extratropical lowermost stratosphere

T. Birner¹ and H. Bönisch²

ACP 2011

renewed appreciation that there are upper and lower branches of the BDC

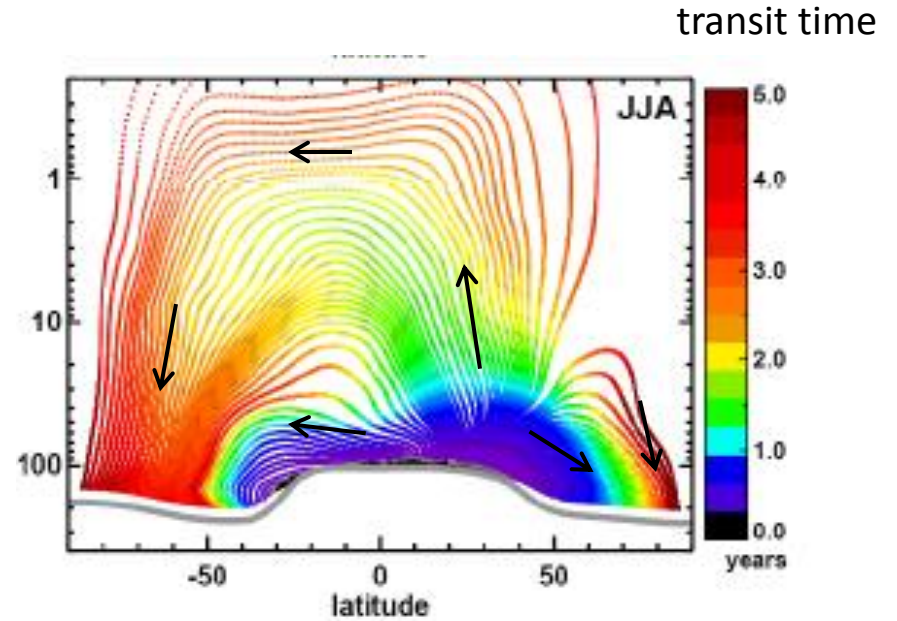
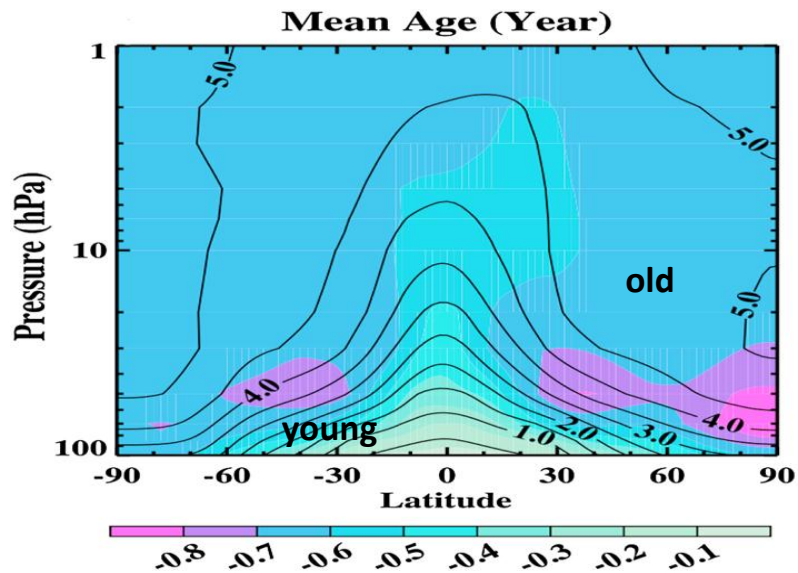
Red: deep branch (slow)
Blue: shallow branch (fast)



streamfunction

transit time
along constant
streamlines

Transit time is closely related to 'mean age' (time since air entered stratosphere)

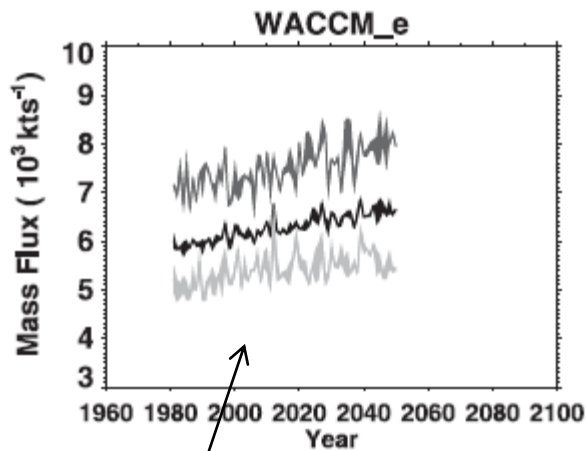


Air at any particular location is characterized by a distribution of transit times and ages (so-called age spectrum)

Chemistry–Climate Model Simulations of Twenty-First Century Stratospheric Climate and Circulation Changes

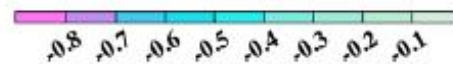
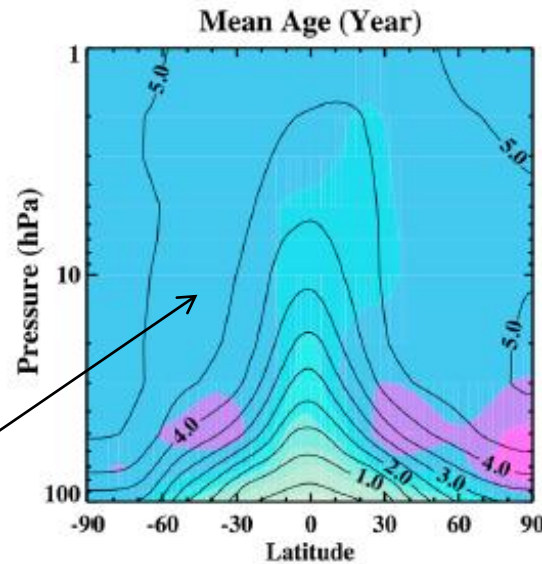
NEAL BUTCHART,^a I. CIONNI,^b V. EYRING,^b T. G. SHEPHERD,^c D. W. WAUGH,^d H. AKIYOSHI,^e
 J. AUSTIN,^f C. BRÜHL,^g M. P. CHIPPERFIELD,^h E. CORDERO,ⁱ M. DAMERIS,^b R. DECKERT,^b
 S. DHOMSE,^h S. M. FRITH,^j R. R. GARCIA,^k A. GETTELMAN,^k M. A. GIORGETTA,^l
 D. E. KINNISON,^k F. LI,^m E. MANCINI,ⁿ C. MCLANDRESS,^c S. PAWSON,^o G. PITARI,ⁿ
 D. A. PLUMMER,^p E. ROZANOV,^q F. SASSI,^r J. F. SCINOCCA,^s K. SHIBATA,^t
 B. STEIL,^g AND W. TIAN^h

JGR 2010



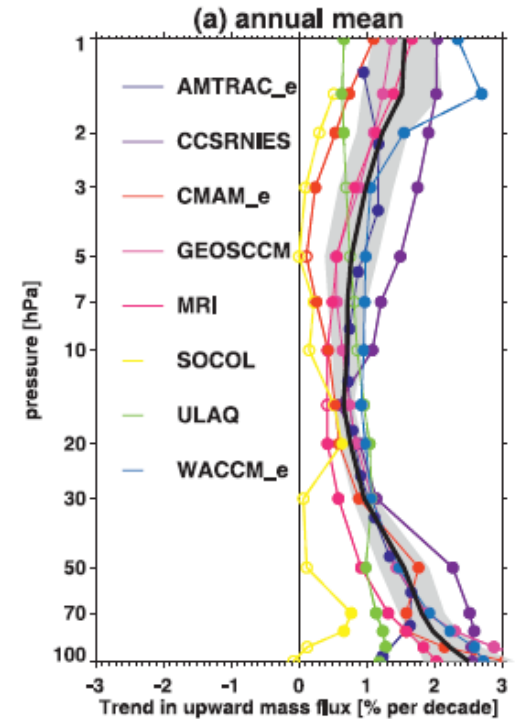
increasing
tropical
upwelling

younger age



Colors: age trends

increasing BDC circulation
in models

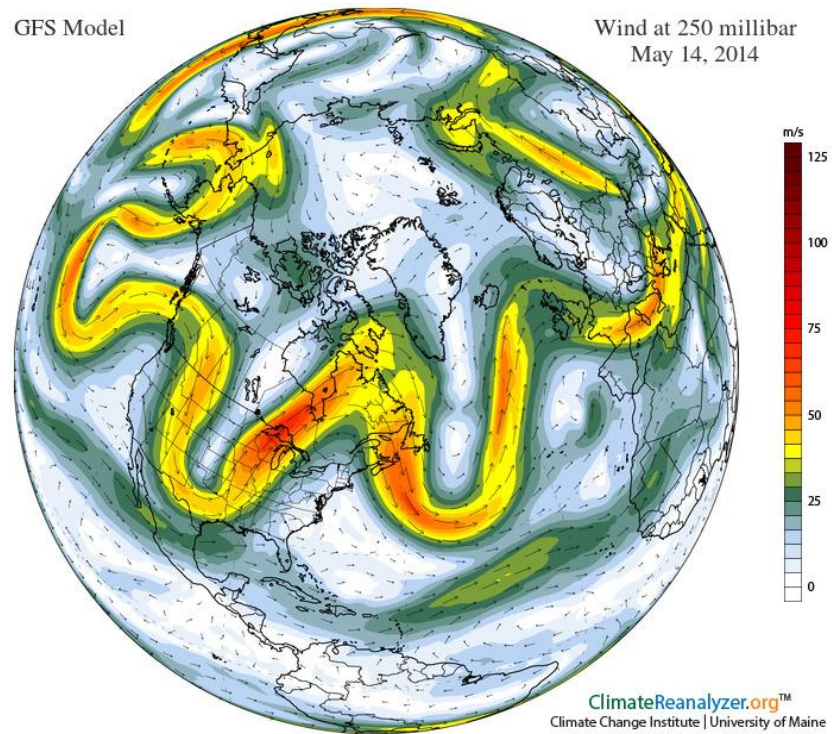


faster
upwelling

Key points:

- Asymmetry in winter stratosphere circulations: more disturbed in the NH, cold and quiet in the SH
- Stratospheric circulation is forced by waves from the troposphere (stronger forcing in NH; episodic stratospheric sudden warmings)
- Dynamical response of balanced vortex to wave forcing (non-local temperature and wind changes)
- Eliassen-Palm (EP) fluxes quantify wave forcing
- Brewer-Dobson transport circulation (deep and shallow branches)

Rossby waves



Rossby wave propagation: quasi-geostrophic linearized PV equation

$$\left(\frac{\partial}{\partial t} + \frac{\bar{u}}{a \cos \phi} \frac{\partial}{\partial \lambda} \right) q'_{(M)} + a^{-1} \bar{q}_\phi v' = 0,$$

↑
eddy PV

↑
background PV gradient

wave solution:

$$\Phi' = e^{z/2H} \operatorname{Re} \Psi(\phi, z) e^{is\lambda}$$

$$\bar{q}_\phi = 2\Omega \cos \phi - \left[\frac{(\bar{u} \cos \phi)_\phi}{a \cos \phi} \right]_\phi - \frac{a}{\rho_0} \left(\frac{\rho_0 f^2}{N^2} \bar{u}_z \right)_z.$$

$$\frac{f^2}{a^2 \cos \phi} \left(\frac{\cos \phi}{f^2} \Psi_\phi \right)_\phi + \frac{f^2}{N^2} \Psi_{zz} + n_s^2 \Psi = 0$$

wave equation:
propagation for
 $n_s^2 > 0$

$$n_s^2 = \frac{\bar{q}_\phi}{a\bar{u}} - \frac{s^2}{a^2 \cos^2 \phi} - \frac{f^2}{4N^2 H^2}$$

refractive index

Propagation of Planetary-Scale Disturbances from the Lower into the Upper Atmosphere

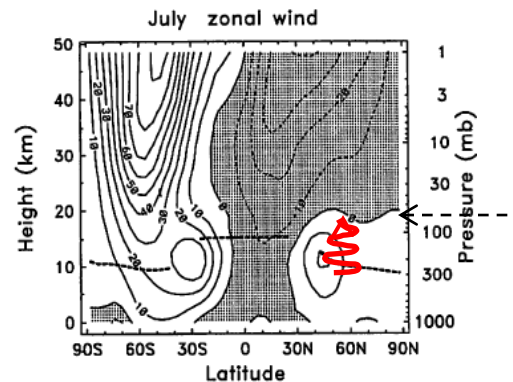
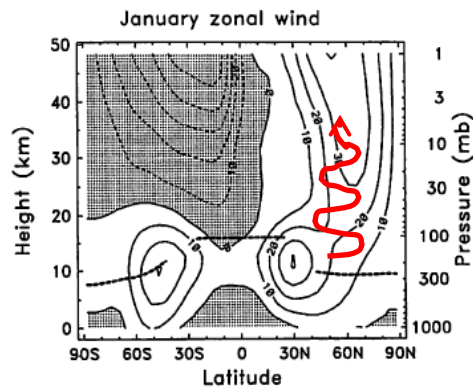
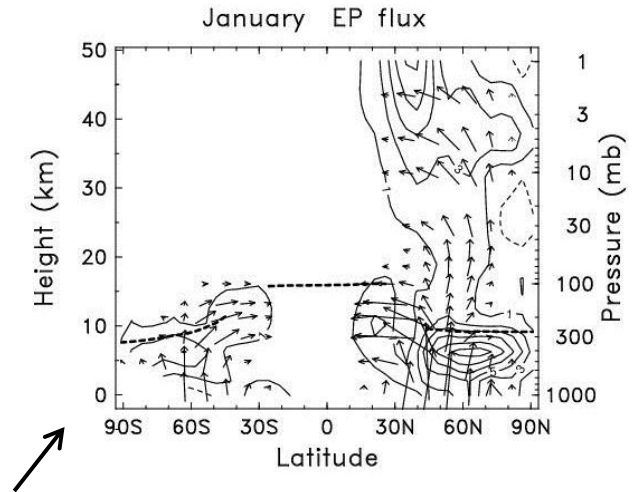
J. G. CHARNEY AND P. G. DRAZIN¹

JGR 1961

$$n_s^2 = \frac{\bar{q}_\phi}{a\bar{u}} \sim \cos(\text{lat}) + U \text{ terms} - \frac{s^2}{a^2 \cos^2 \phi} - \frac{f^2}{4N^2 H^2}$$

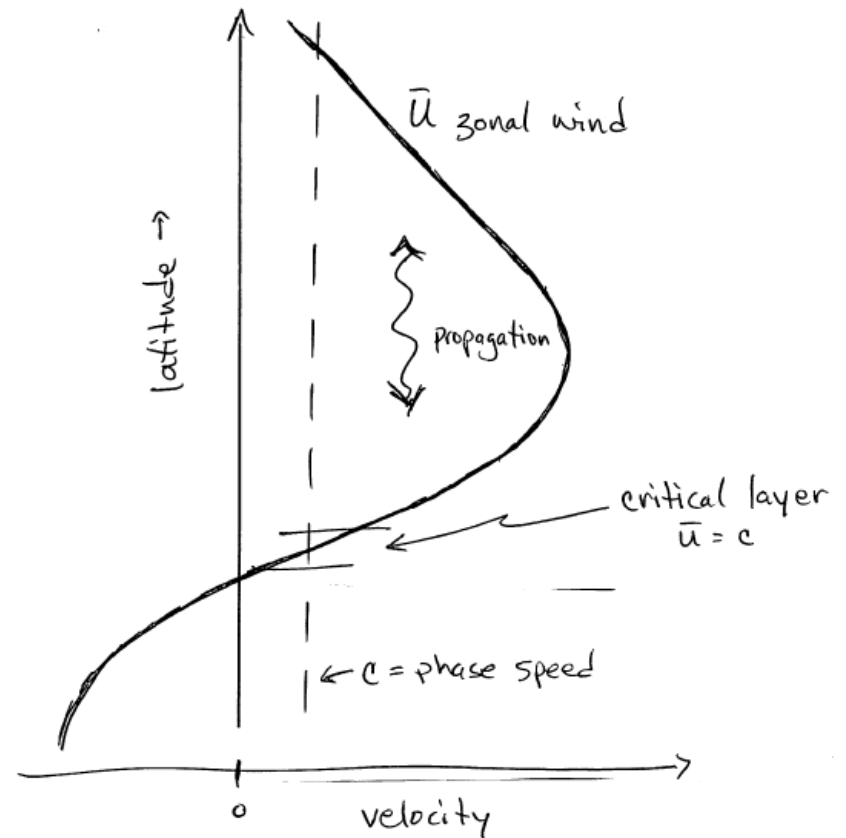
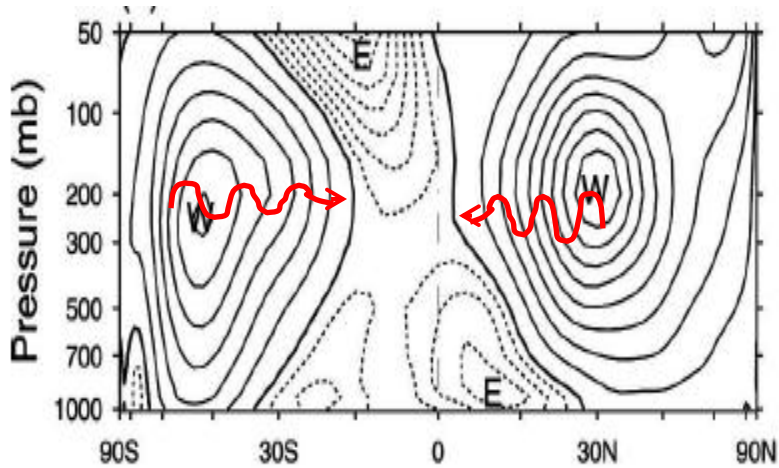
2 key points:

- n_s^2 proportional to $\sim \cos(\text{lat})$ (Rossby wave refraction towards low latitudes)
- vertical propagation for $U > 0$ and small zonal wavenumbers (planetary waves propagate to stratosphere only during winter)

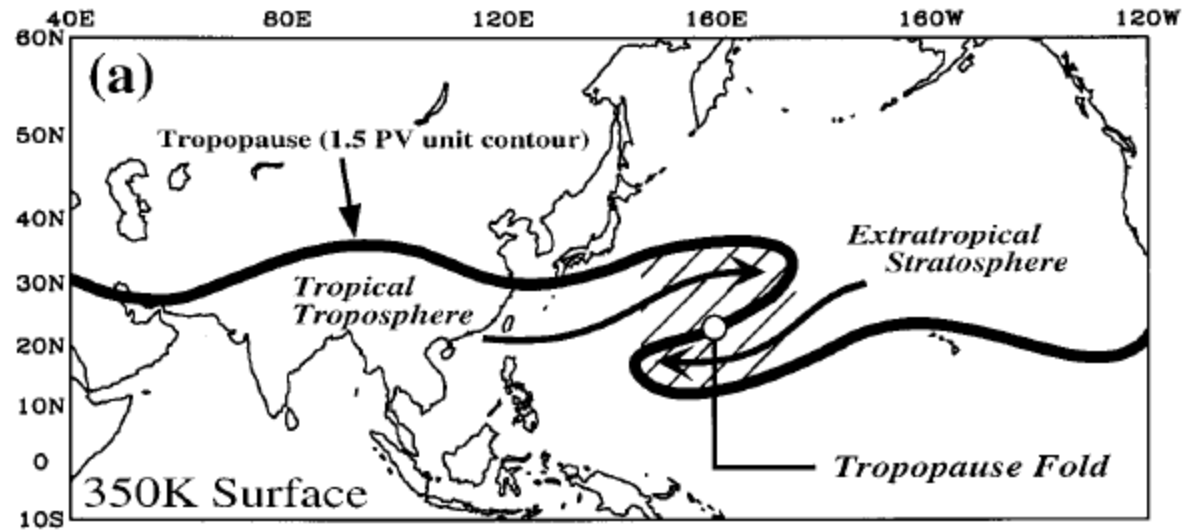


no propagation in summer easterlies

Rossby waves cannot propagate into regions where $U < 0$ (i.e. across equator)

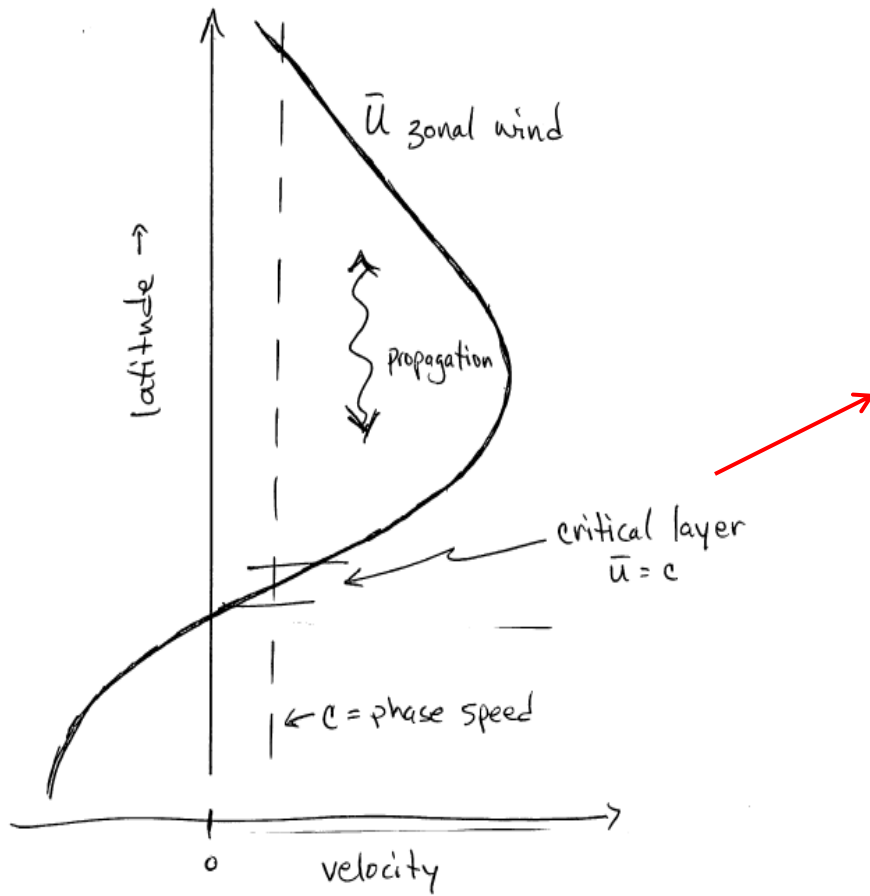


Breaking Rossby waves: overturning of PV contours

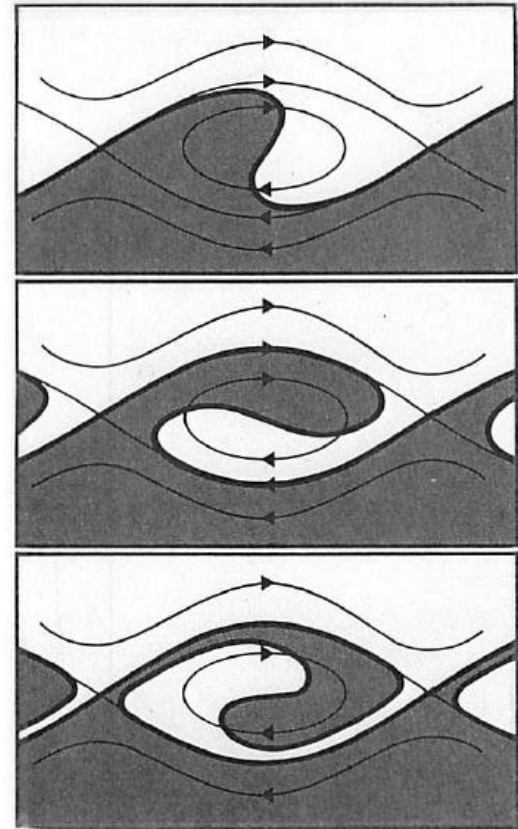


Postel and Hitchman 1999
Homeyer et al 2013

Rossby wave critical layer interactions (critical layer: $U = c$)

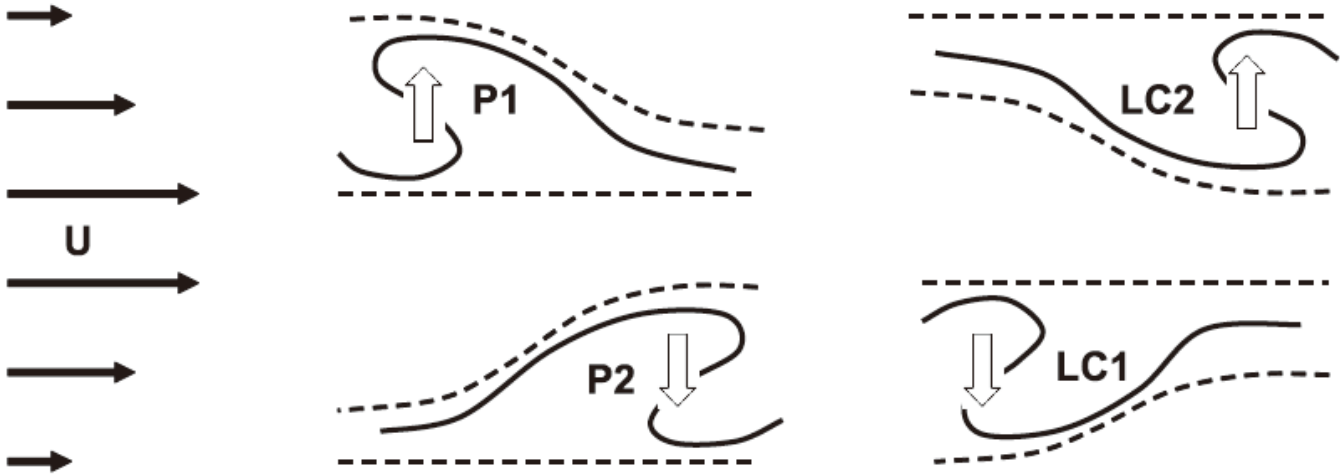


nonlinear overturning at critical layer
(irreversible transport and mixing)



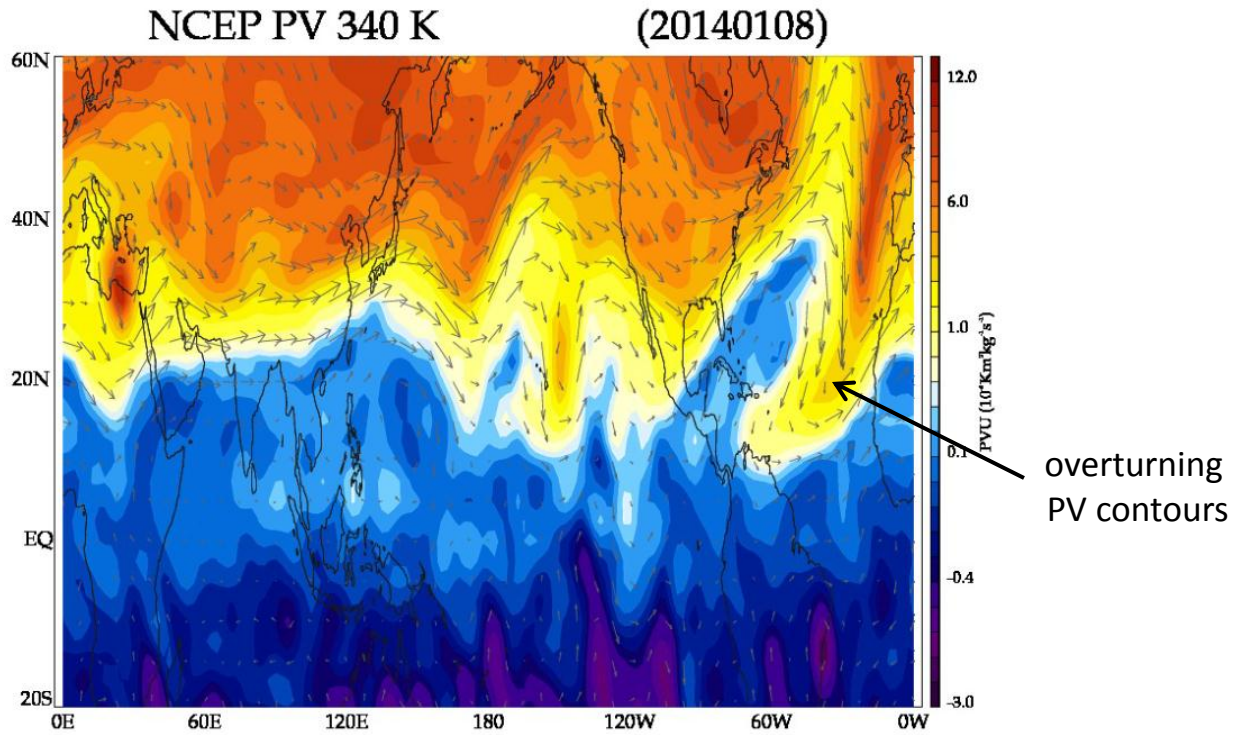
Two types of wave breaking, depending on shear of background winds

poleward breaking (cyclonic)

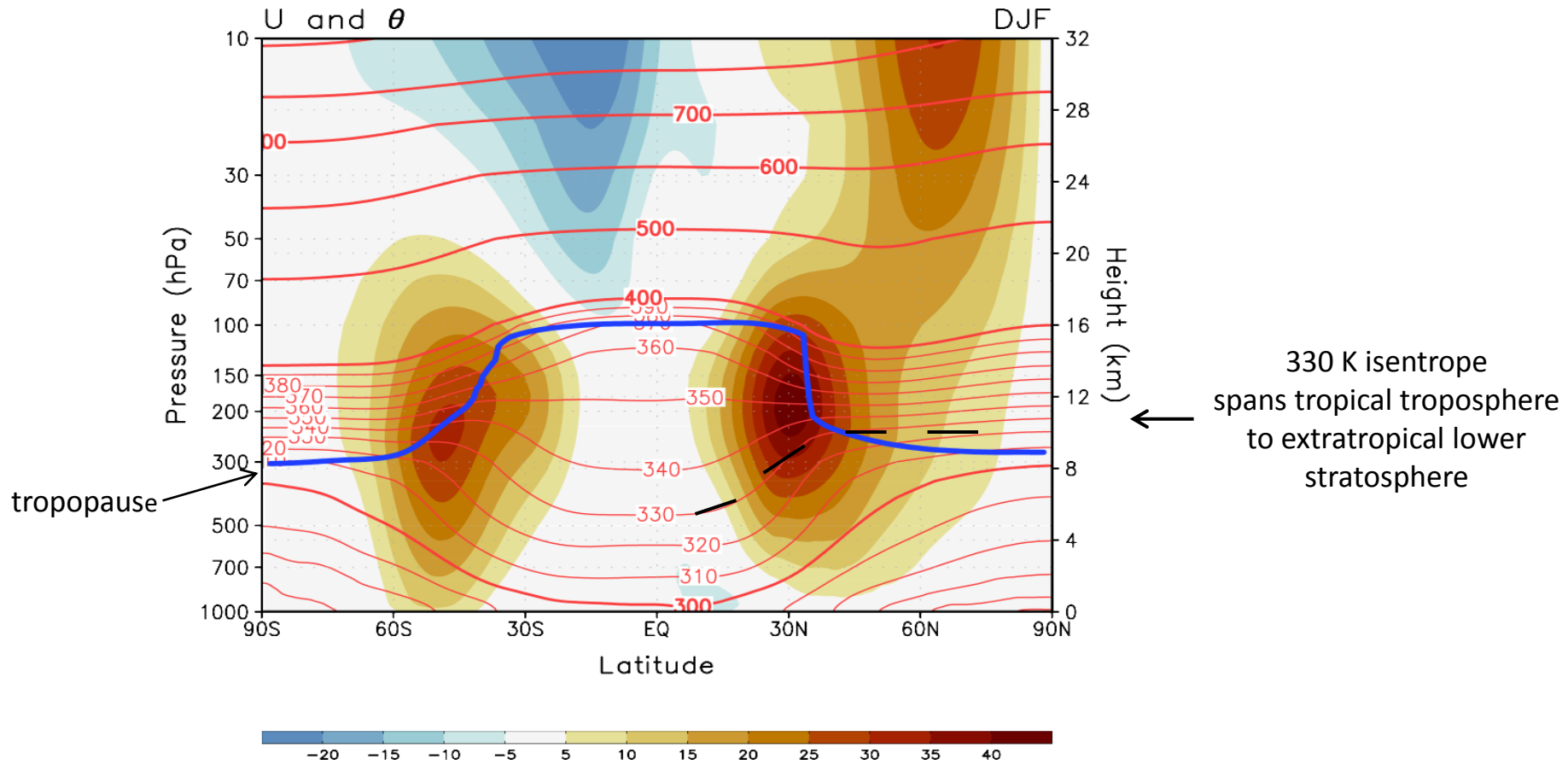


equatorward breaking (anticyclonic)

Example of a large-scale breaking Rossby wave

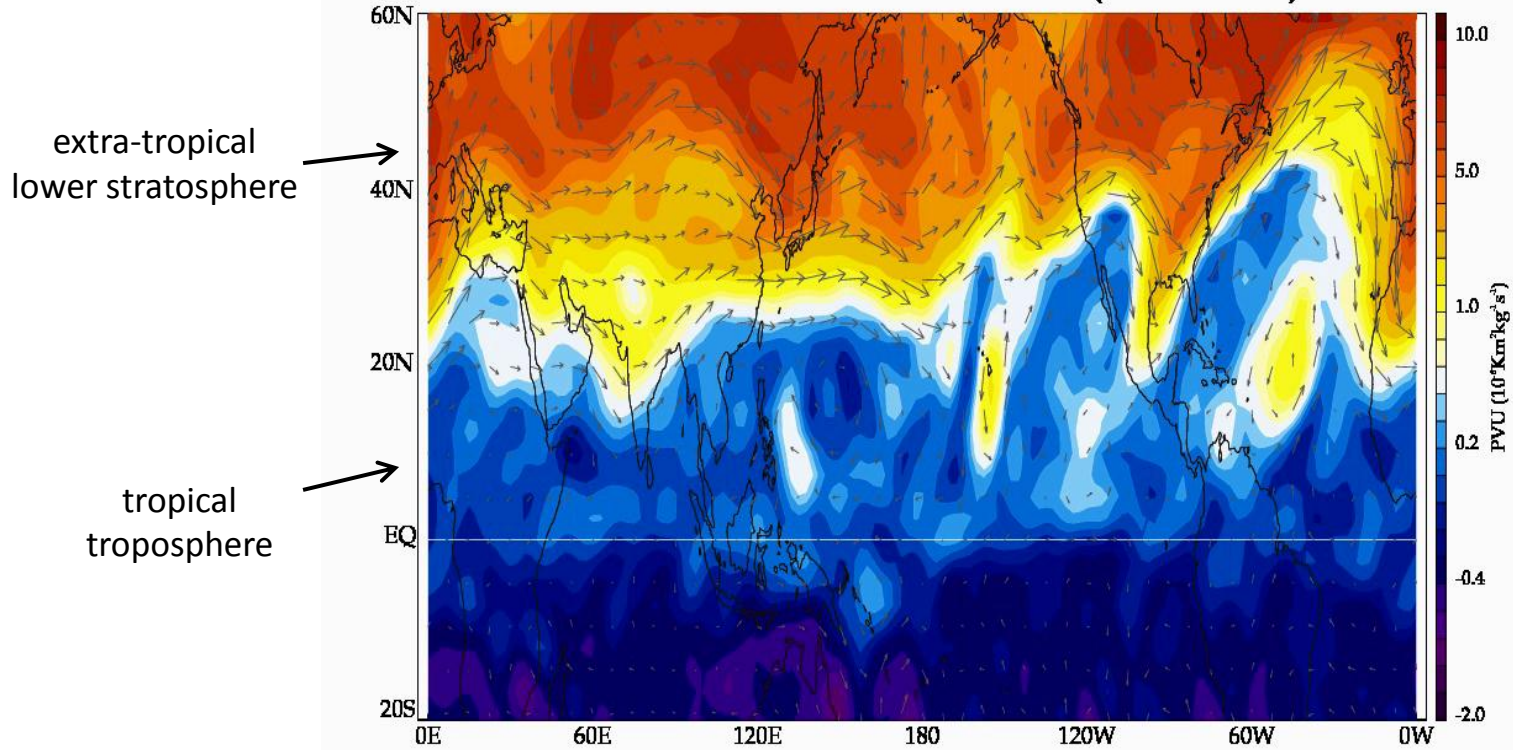


fast, synoptic flow mainly along isentropes:



Rossby waves during January-May at 330 K

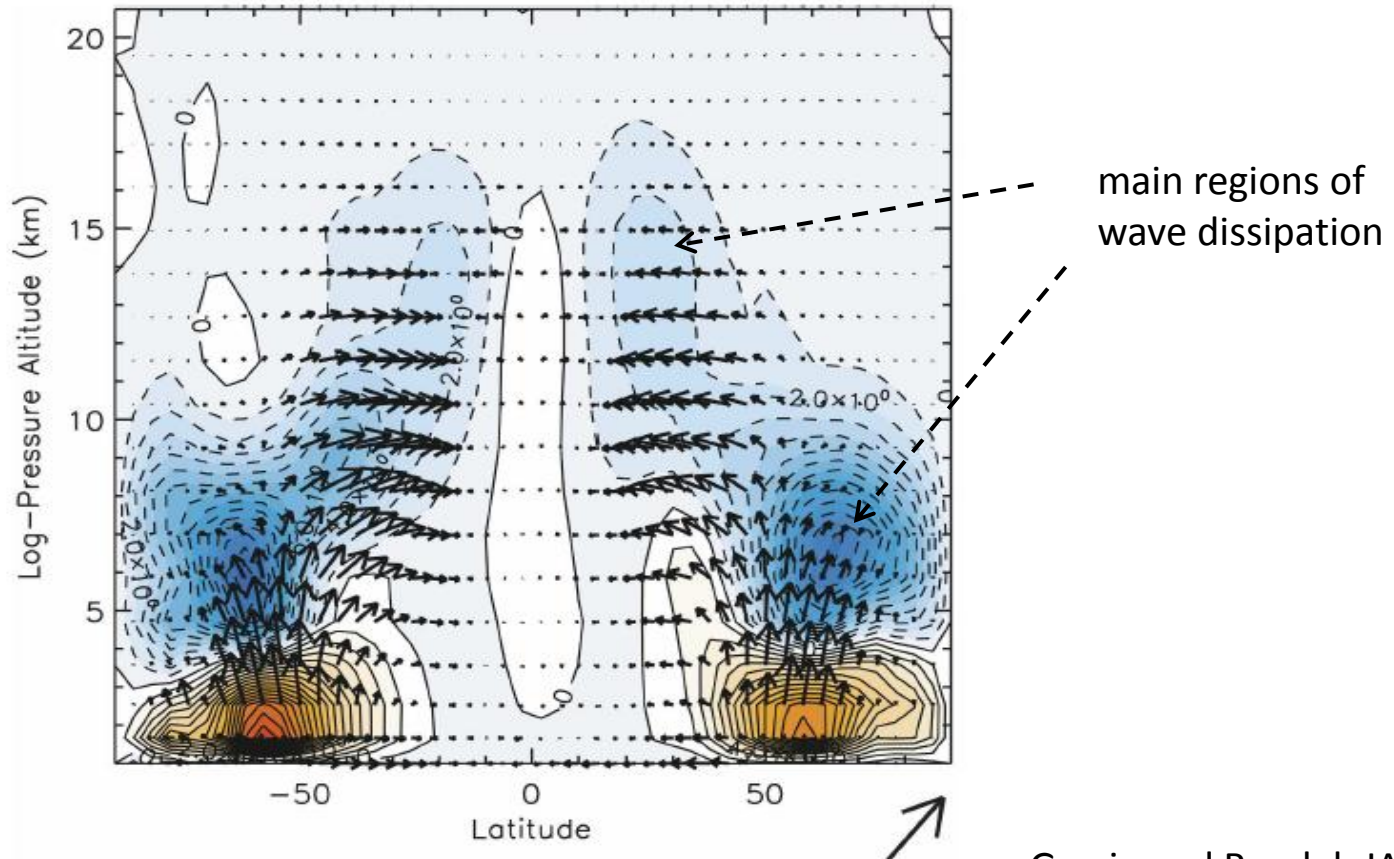
NCEP PV 330 K (20140130)



Key points:

- General refraction of Rossby waves towards low latitudes
- Latitudinal or vertical propagation for $U > 0$ (more generally $U > c$)
- Rossby wave breaking near critical lines ($U = c$)
- Poleward or equatorward breaking depending on background U shear
- Key mechanism for dissipation, mean flow forcing and transporting trace species

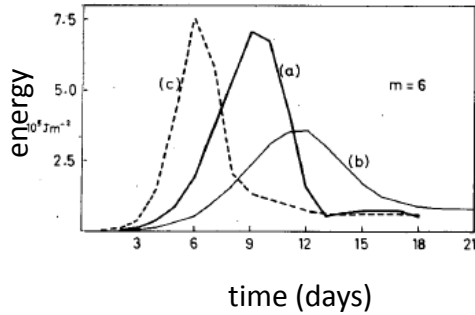
Climatological EP fluxes in the troposphere



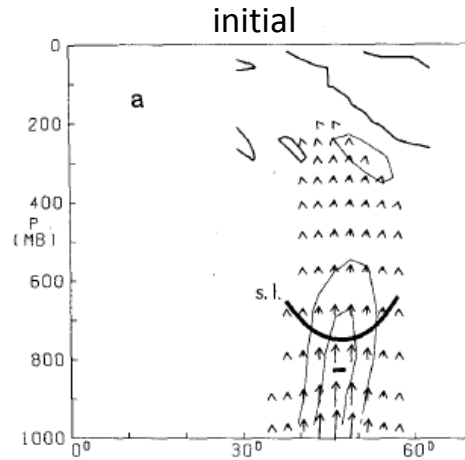
Garcia and Randel, JAS 2008

Extratropical EP flux patterns are related to baroclinic wave life cycles

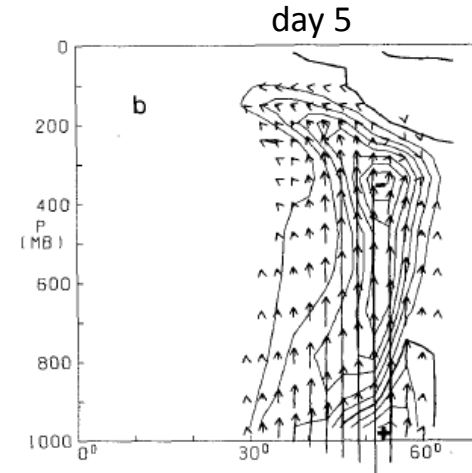
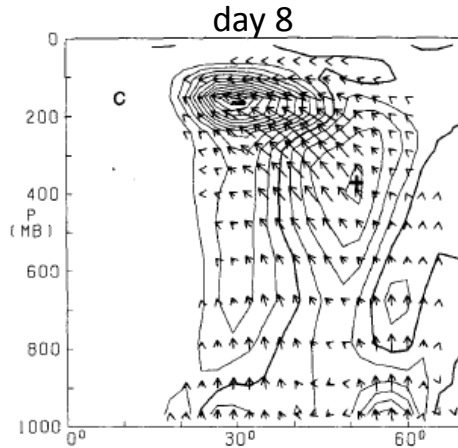
idealized
zonal wave 6
baroclinic eddy
life cycle



barotropic
decay

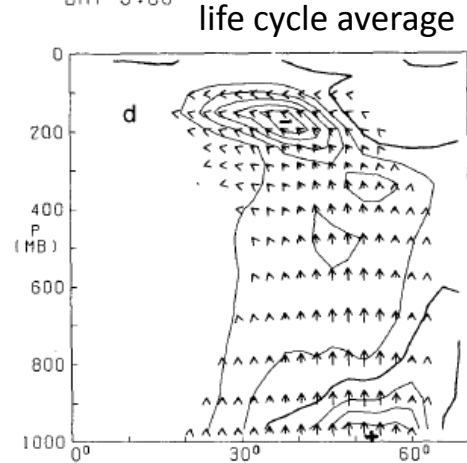


TOTAL E-P FLUX DIVERGENCE
DAY -0.00



baroclinic
growth

TOTAL E-P FLUX DIVERGENCE
DAY 5.00



Simmons and Hoskins 1980
Edmon et al 1980

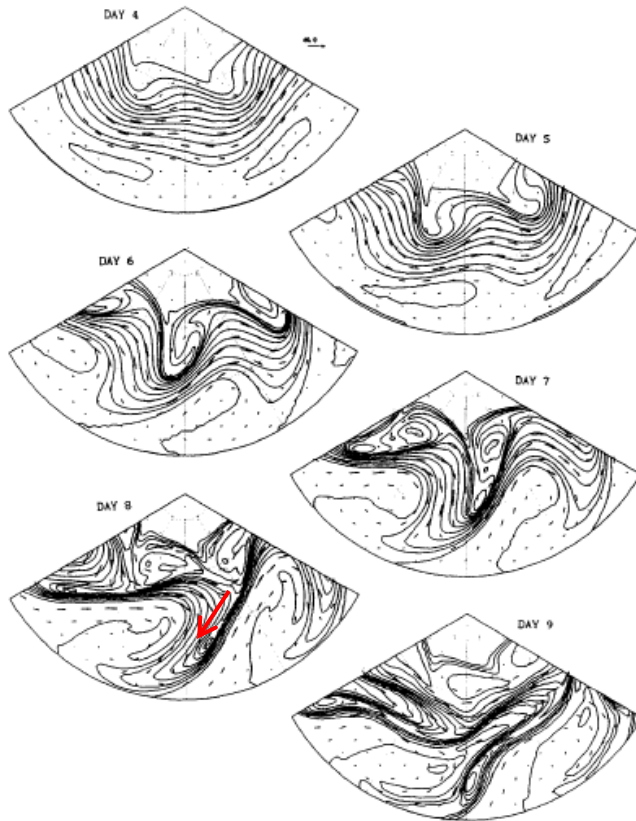
Two paradigms of baroclinic-wave life-cycle behaviour

By C. D. THORNCROFT^{1*}, B. J. HOSKINS¹ and M. E. McINTYRE²

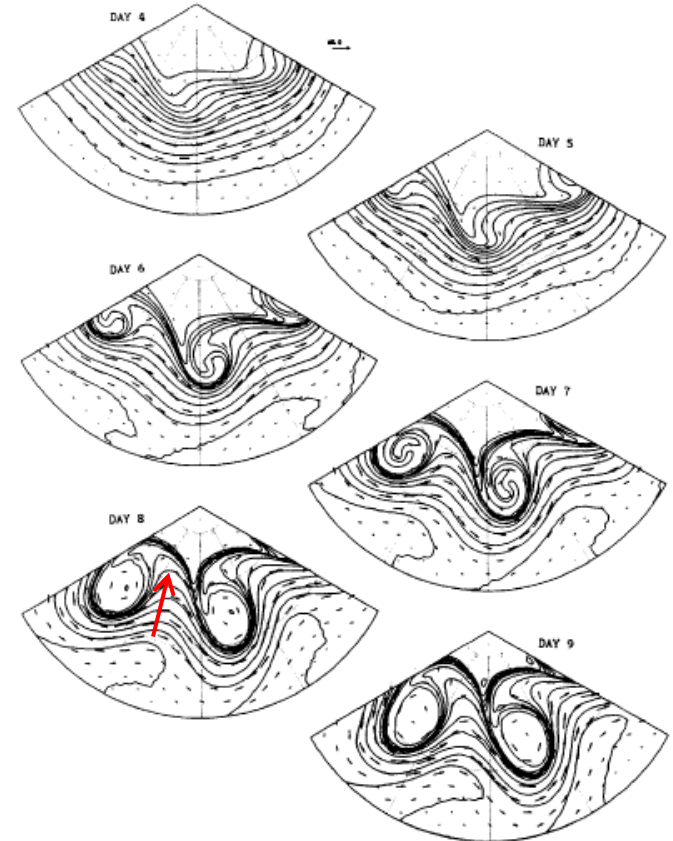
¹*Department of Meteorology, University of Reading*

²*Department of Applied Mathematics and Theoretical Physics, University of Cambridge*

LC1 equatorward breaking

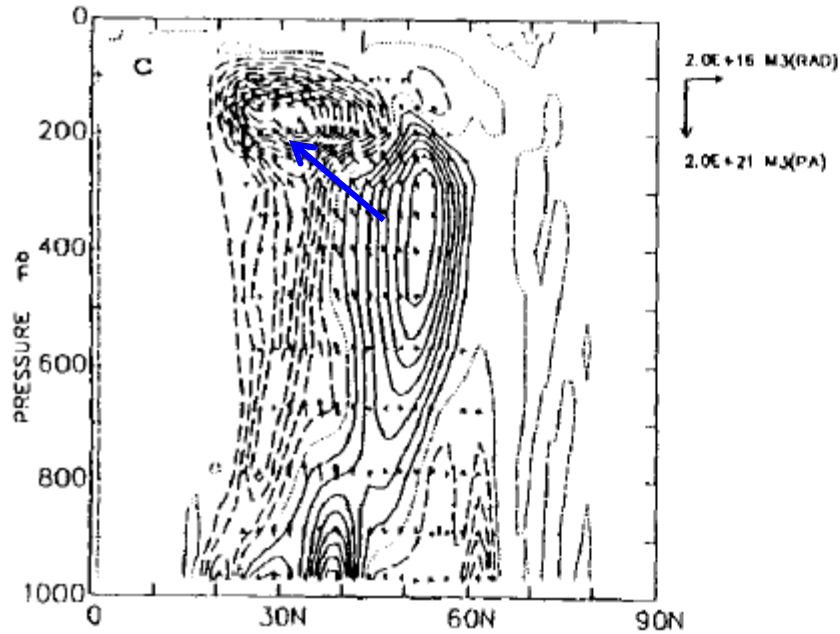


LC2 poleward breaking

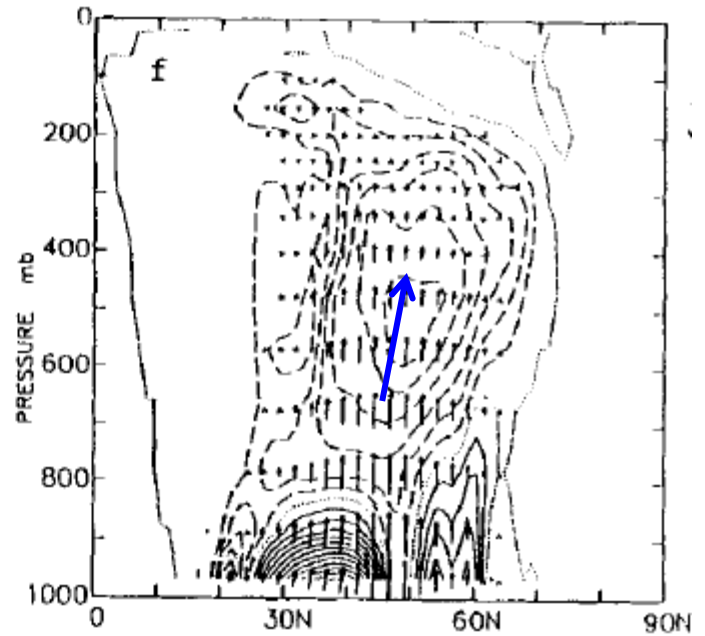


Idealized baroclinic wave life cycles

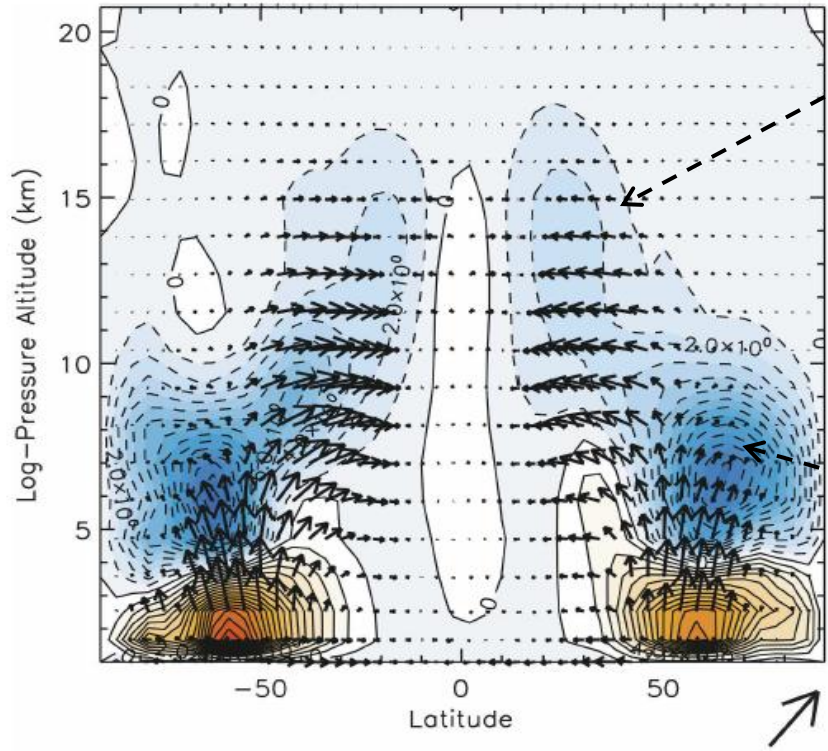
equatorward propagation (LC1)



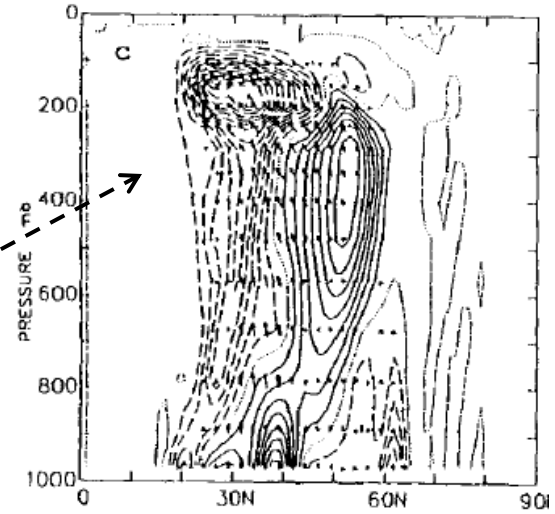
poleward propagation (LC2)



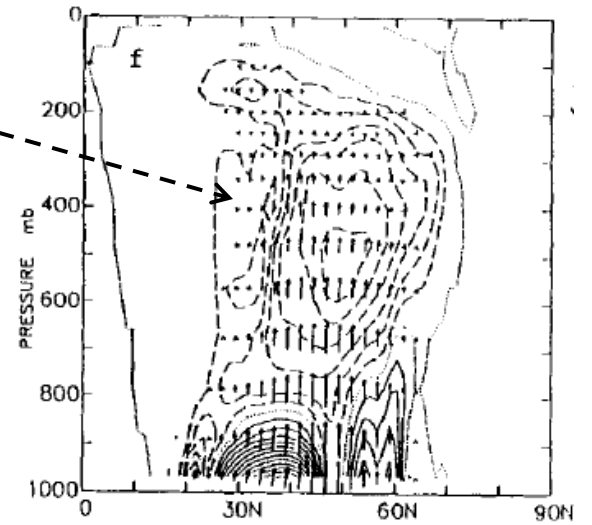
Climatology



LC1



LC2



Using phase speed spectra to diagnose critical layer interactions

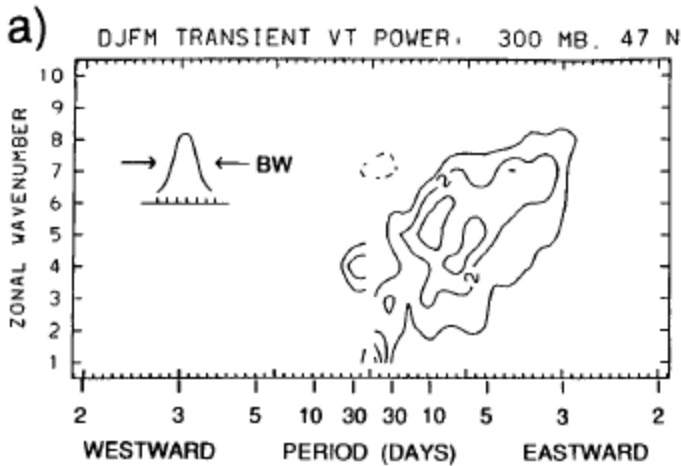
wave flux
co-spectra as a function
of zonal wavenumber
and phase speed

$$K_{n,c} = K_{k,\omega} \cdot \left(\frac{n}{a \cos \phi} \right).$$

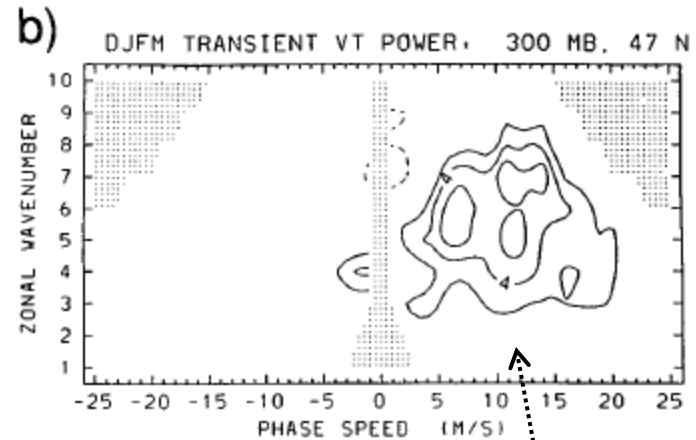
traditional
wavenumber vs.
frequency

Randel and Held 1991

wavenumber vs. frequency



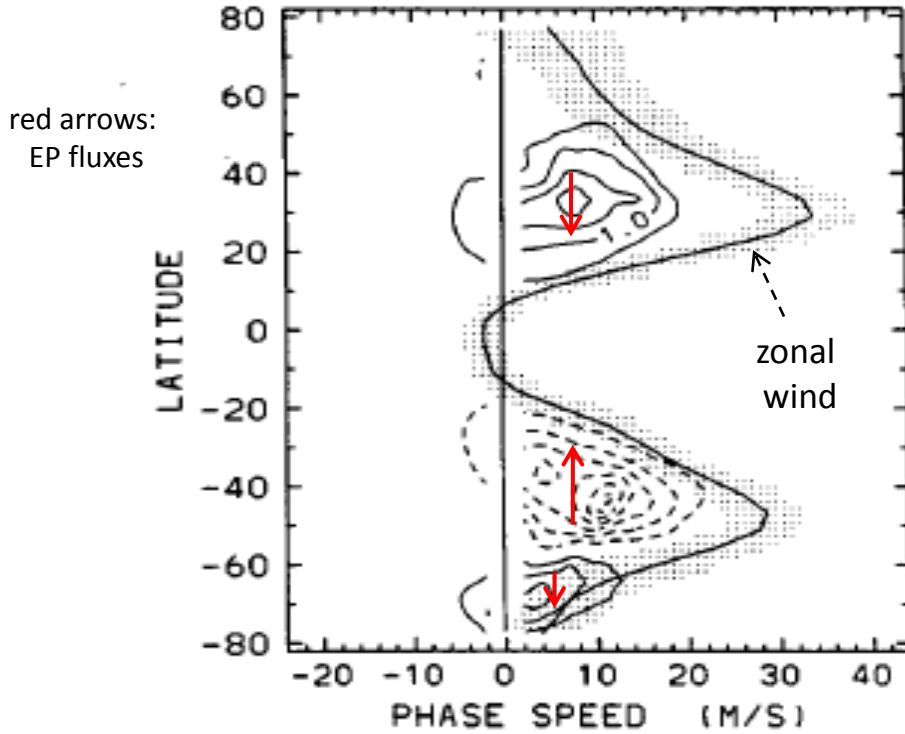
wavenumber vs. phase speed



Rossby waves move eastward
at ~5-15 m/s

Integrate over wavenumber to derive eddy flux phase speed spectra

eddy momentum flux $u'v'$ 300 hPa

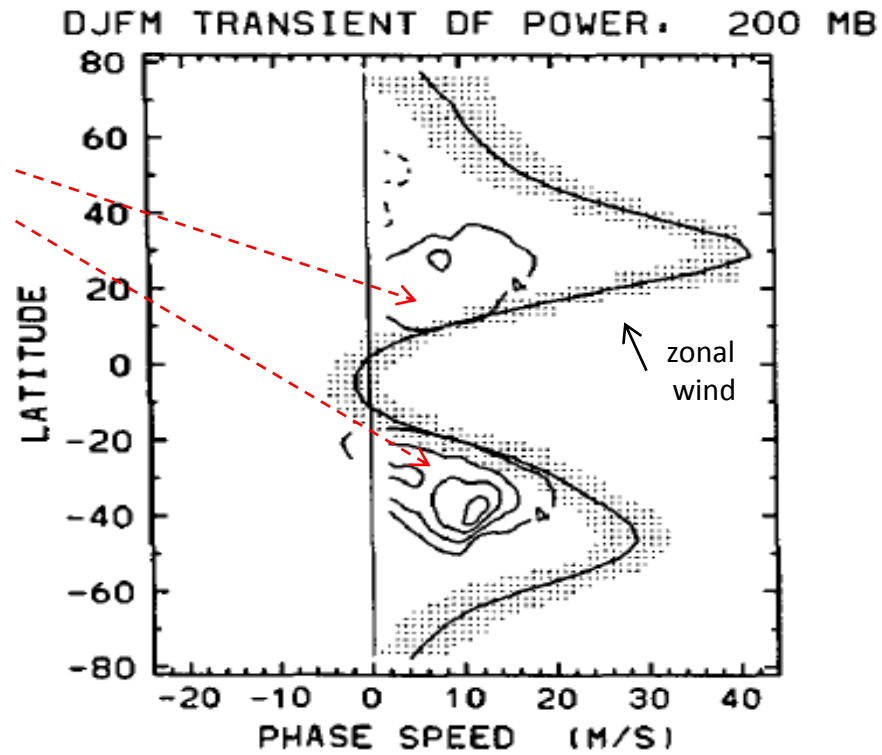


- EP fluxes: propagation to near critical lines ($c = U$)
- evidence for critical layer behavior

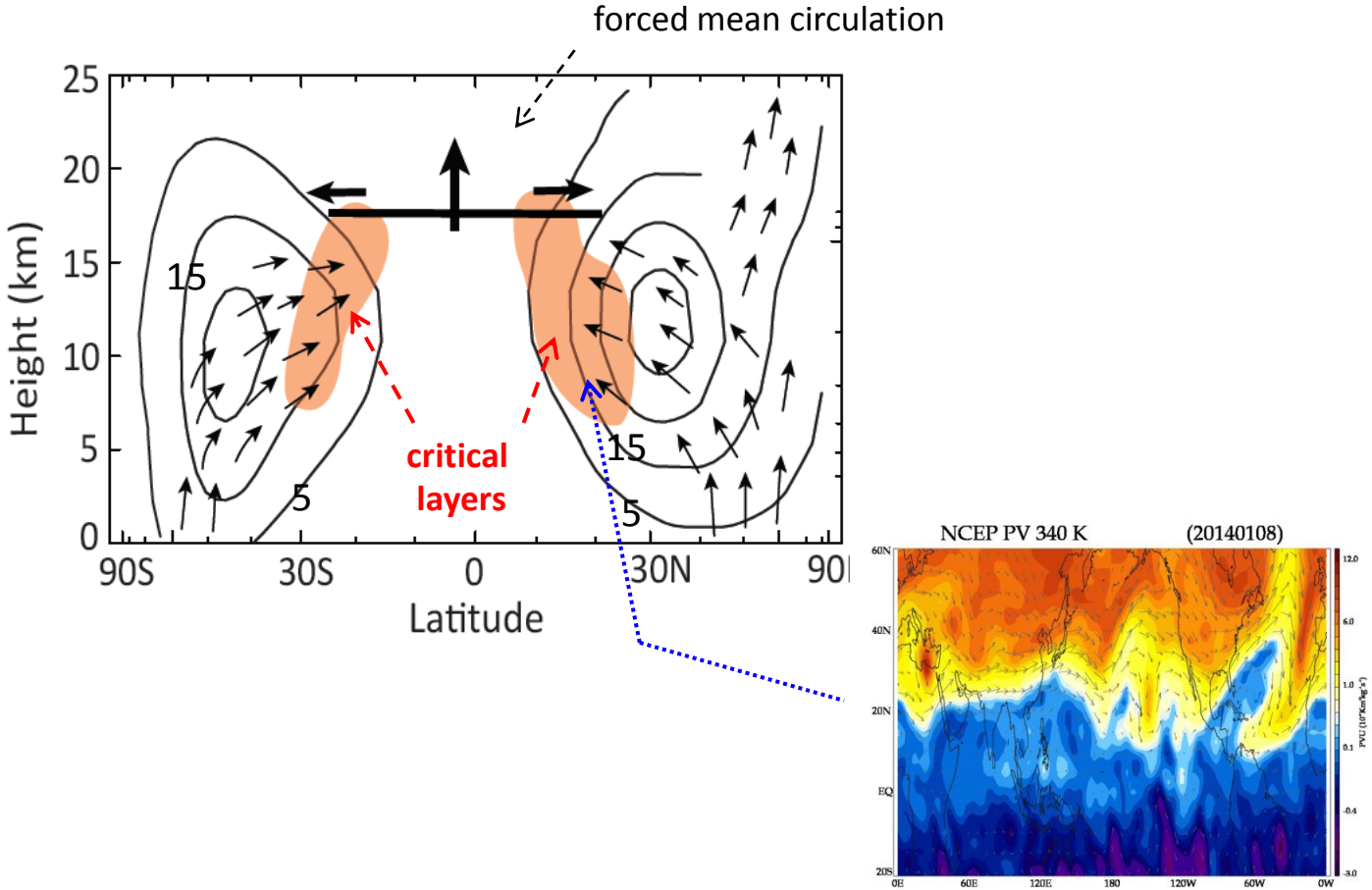
Randel and Held 1991

EP flux divergence phase speed spectra

EP flux divergence
poleward of critical lines



Subtropical critical layers for Rossby waves with phase speeds $\sim 5-15$ m/s



Effective diffusivity as a diagnostic of atmospheric transport

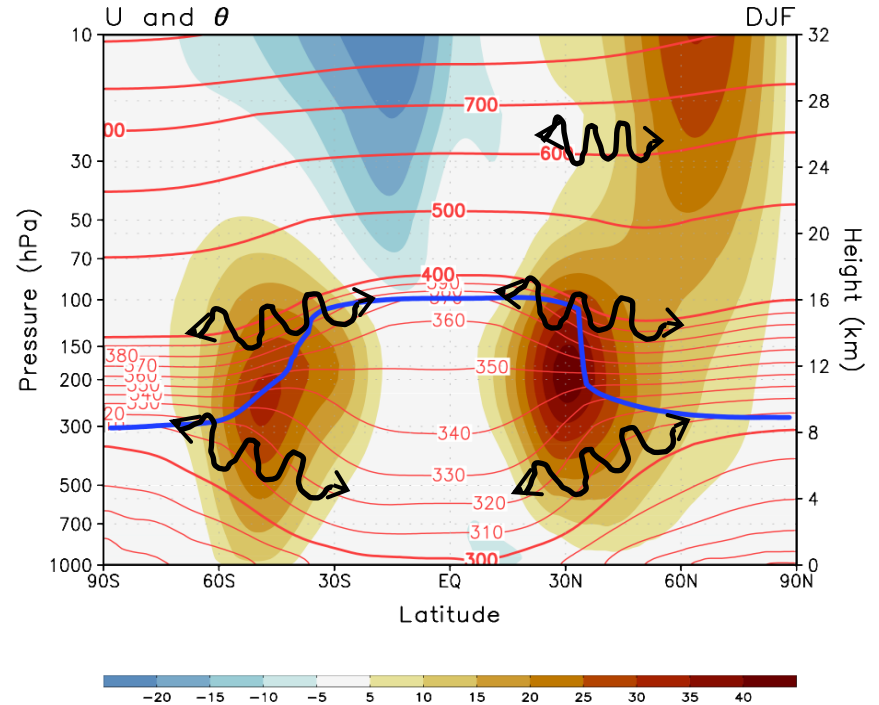
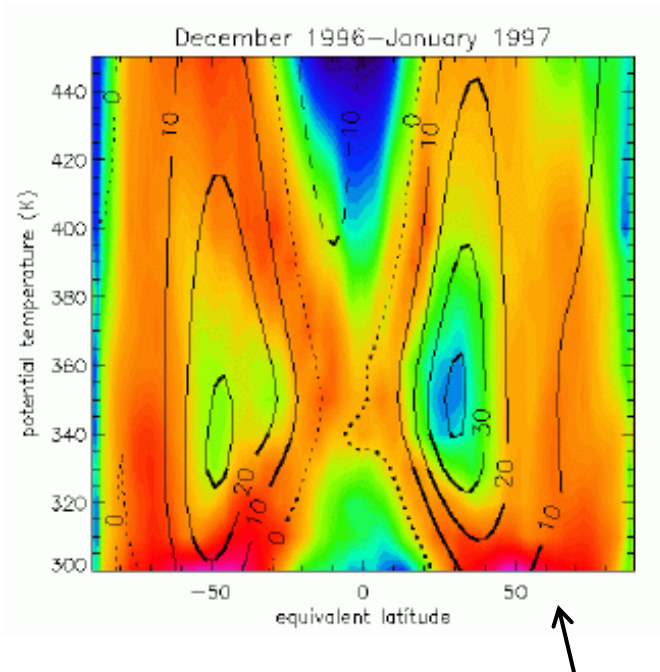
2. Troposphere and lower stratosphere

JGR 2000

Peter Haynes and Emily Shuckburgh

eddy transport above and below
subtropical jets

Estimates of mixing based on stretching of
PV contours in trajectory calculations



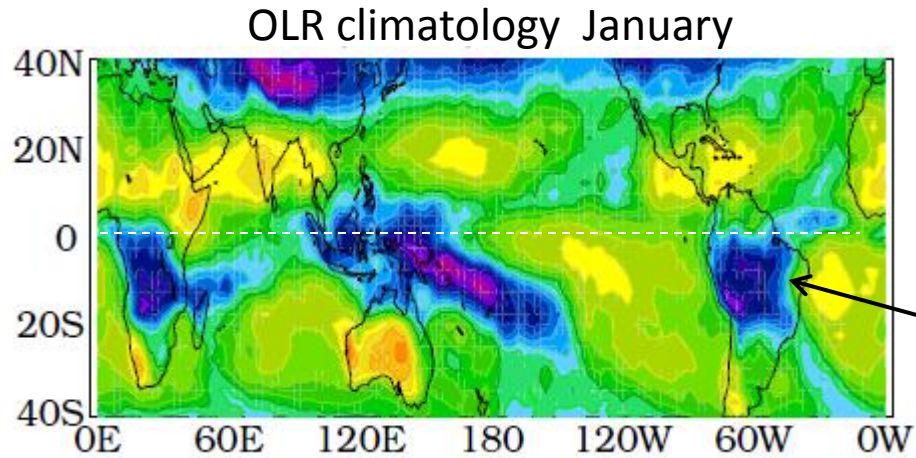
important points:

- mixing on flanks of jet (near critical lines for $c \sim 10$ m/s)
- small mixing across jet core (jet cores are mixing barriers)

Key points:

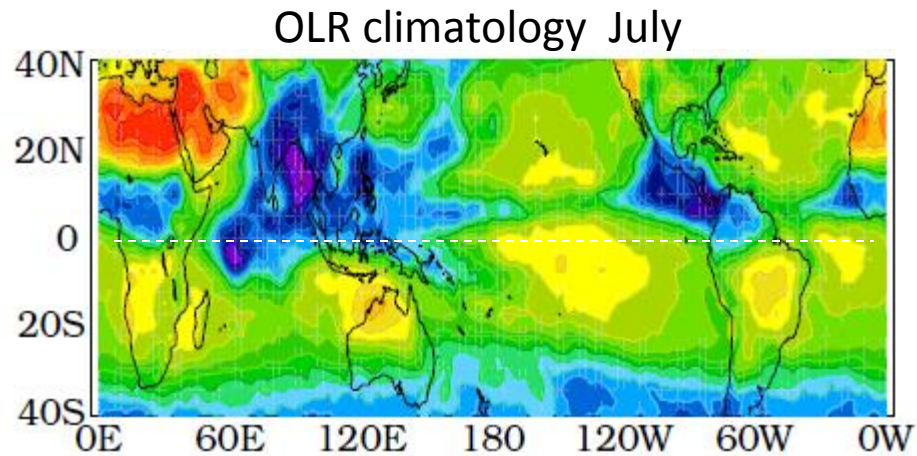
- Baroclinic wave life cycles: baroclinic growth and barotropic decay
- Two idealized types of life cycles: equatorward and poleward wave breaking (LC1 and LC2)
- Consistent with tropospheric EP flux circulation statistics
- Phase speed spectra: clear evidence for critical layers in subtropics (important influence of extratropical waves on tropical circulations)

Large-scale tropical circulations are forced by latent heating from deep convection

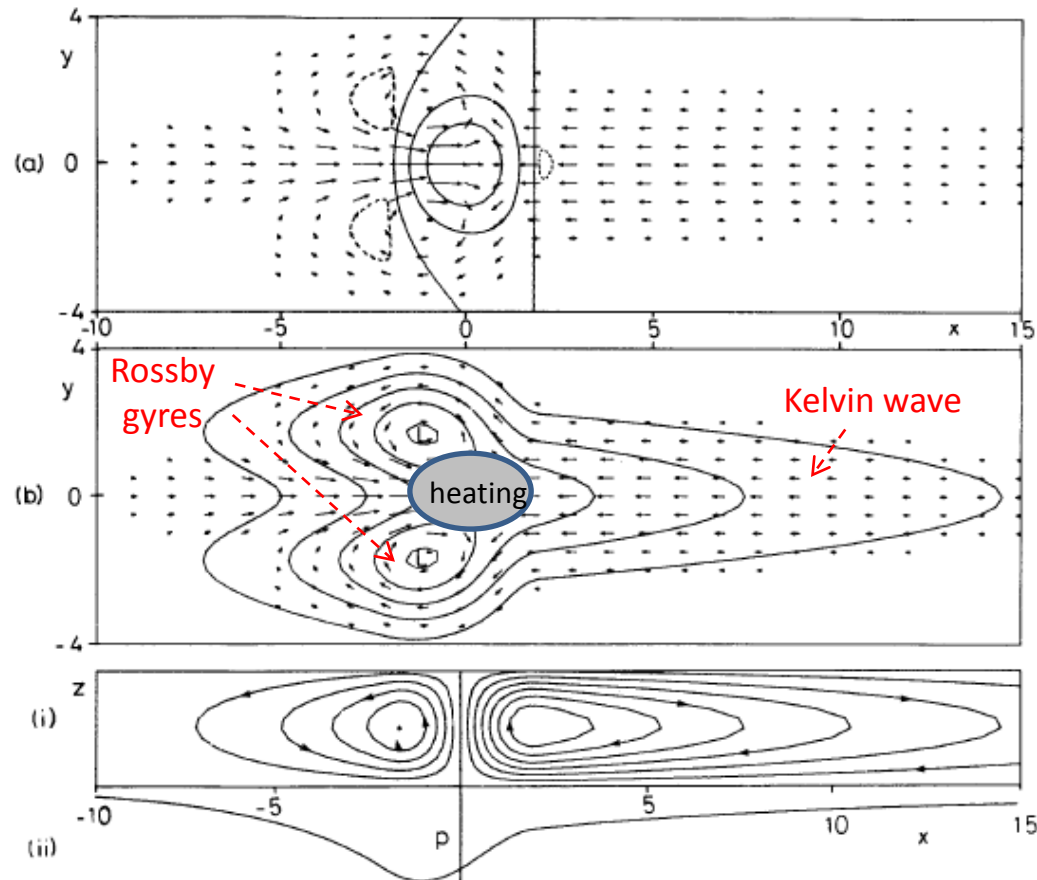


Outgoing Longwave Radiation (OLR) is a useful proxy for deep convection

high clouds ~
deep convection



Dynamical response to low frequency convective forcing



low level
convergence

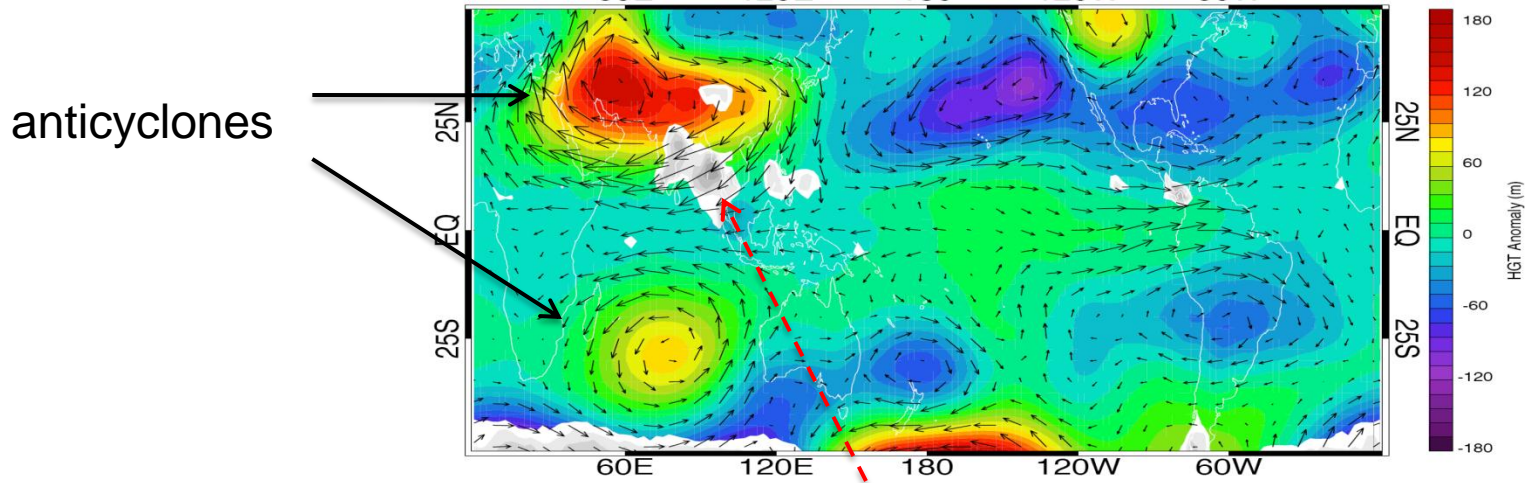
low level
circulation

vertical structure

Gill, 1980

Tropical heating produces subtropical anticyclones in the UTLS

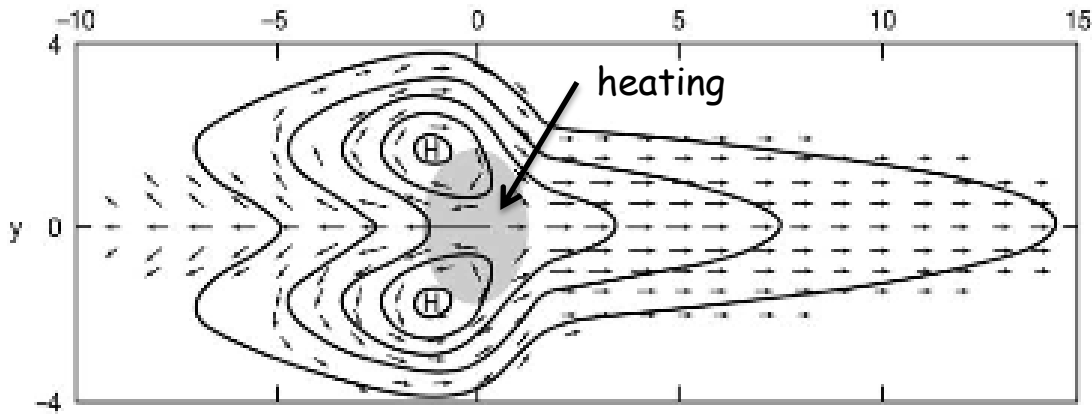
JJA geopotential height and winds 100 hPa



anticyclones

Convection (heating)

Park et al 2007



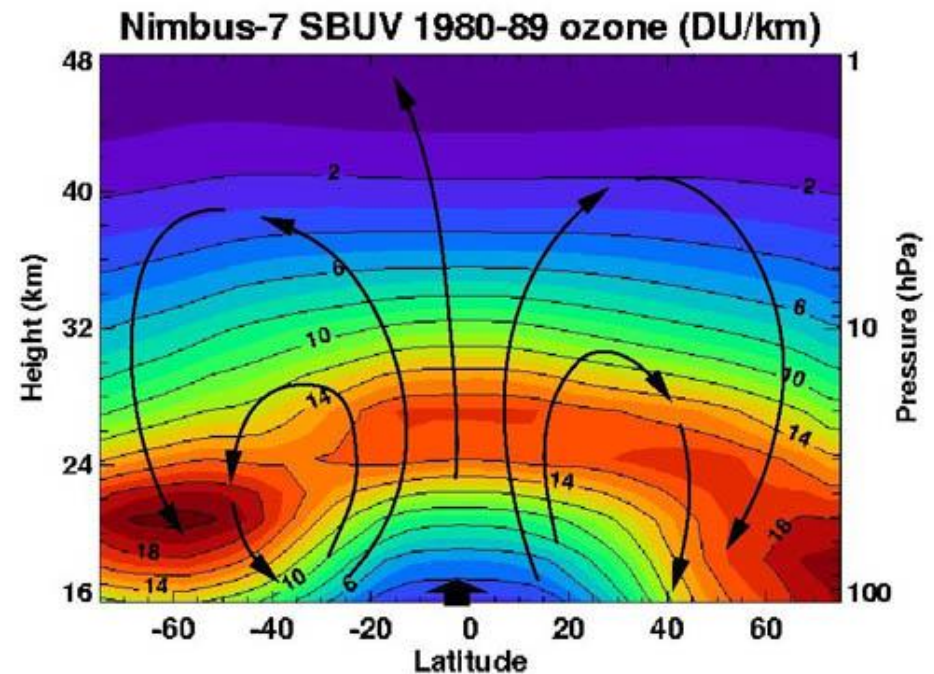
Matsuno-Gill Solution

Key points:

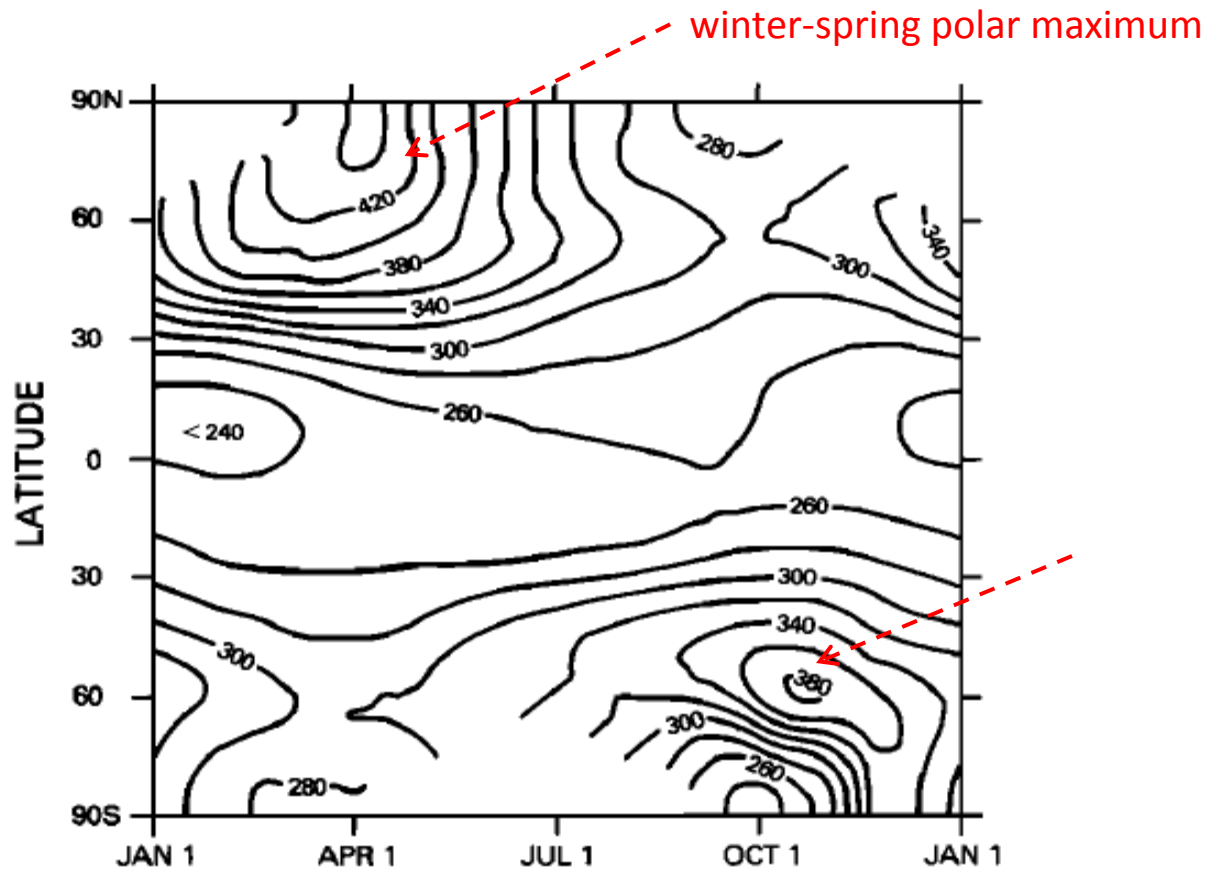
- Organized deep convection (latent heating) drives large-scale tropical circulations
- Seasonal movement between solstices (SH – NH subtropics)
- Matsuno-Gill dynamical response to local heating: subtropical Rossby waves and equatorial Kelvin waves
- Subtropical anticyclones in UTLS (especially Asian monsoon during NH summer)

Observed ozone and Brewer-Dobson circulation

- ozone is made in the tropical stratosphere
- Short lifetime in upper stratosphere
- Long lifetime in lower stratosphere
- transport causes high latitude maximum during winter / spring



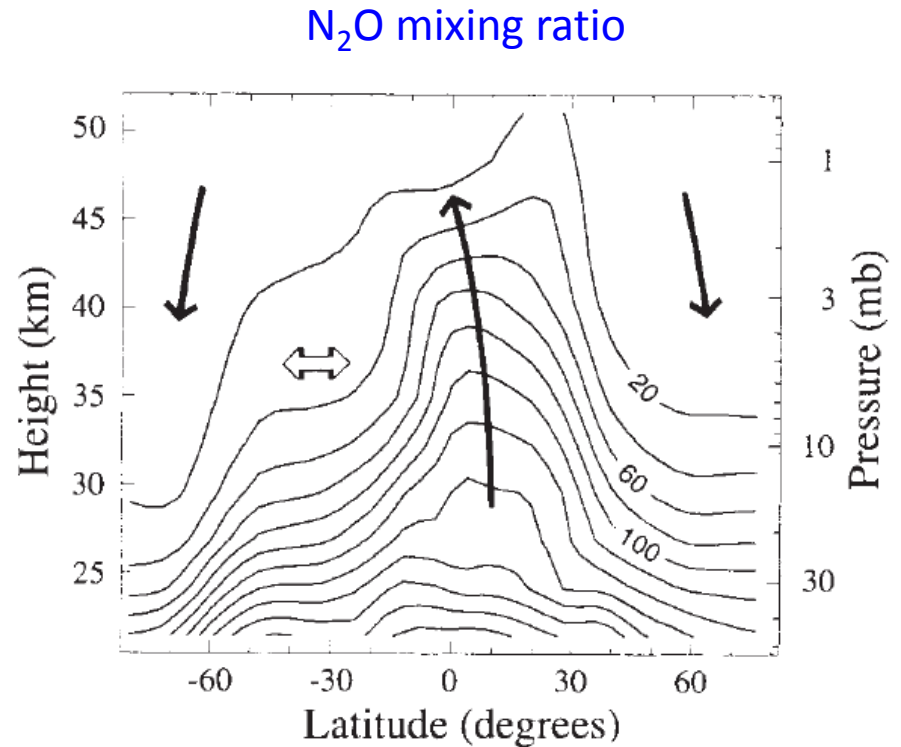
Seasonal cycle of column ozone reflects Brewer-Dobson circulation



Bowman and Krueger, 1982

Stratospheric tracer transport: observations from satellites

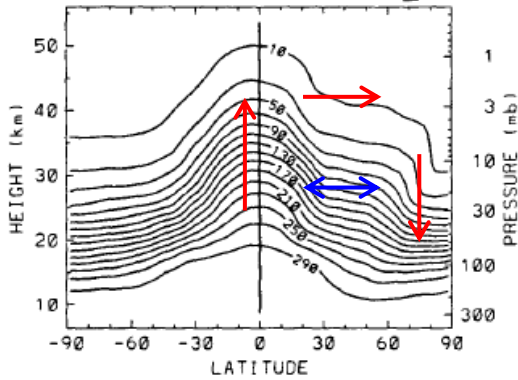
- N_2O is a 'tropospheric source gas'
- destroyed by photolysis (radiation) in upper stratosphere
- Source of reactive nitrogen (NO_x) in upper stratosphere; important for stratospheric ozone
- Behavior reflects Brewer-Dobson circulation and eddy mixing



UARS observations from 1992

tracer zonal mean transport budget

model N₂O (ppbv)



$$\frac{\partial \bar{\chi}}{\partial t} = -\overset{\text{mean advection}}{v^*} \frac{1}{a} \frac{\partial \bar{\chi}}{\partial \phi} - \overset{\text{eddy transport}}{w^*} \frac{\partial \bar{\chi}}{\partial z} + \nabla \cdot M + P - L$$

$$M_y = -e^{-z/H} \left(\overline{v'\chi'} - \frac{\overline{v'T'}}{S} \bar{\chi}_z \right)$$

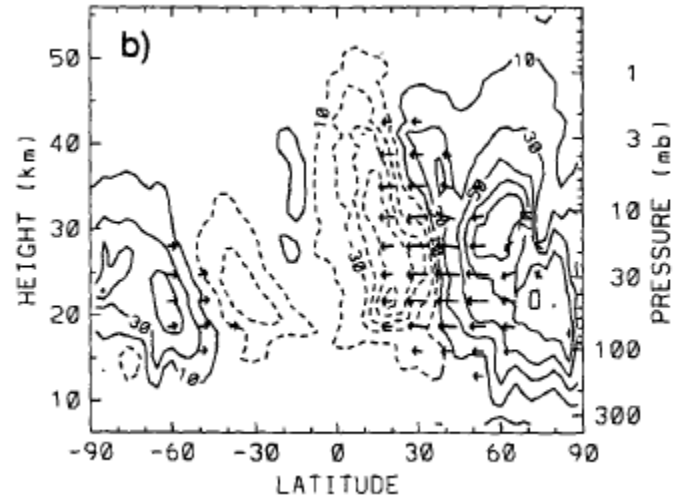
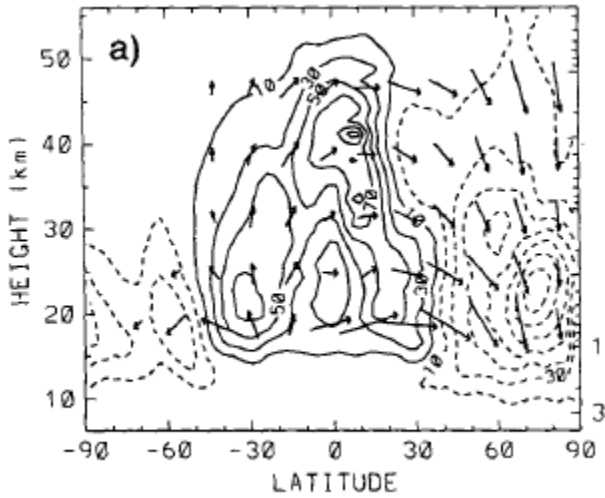
$$M_z = -e^{-z/H} \left(\overline{w'\chi'} + \frac{\overline{v'T'}}{S} \bar{\chi}_y \right)$$

these terms generally balance each other

mean advection

eddy transport

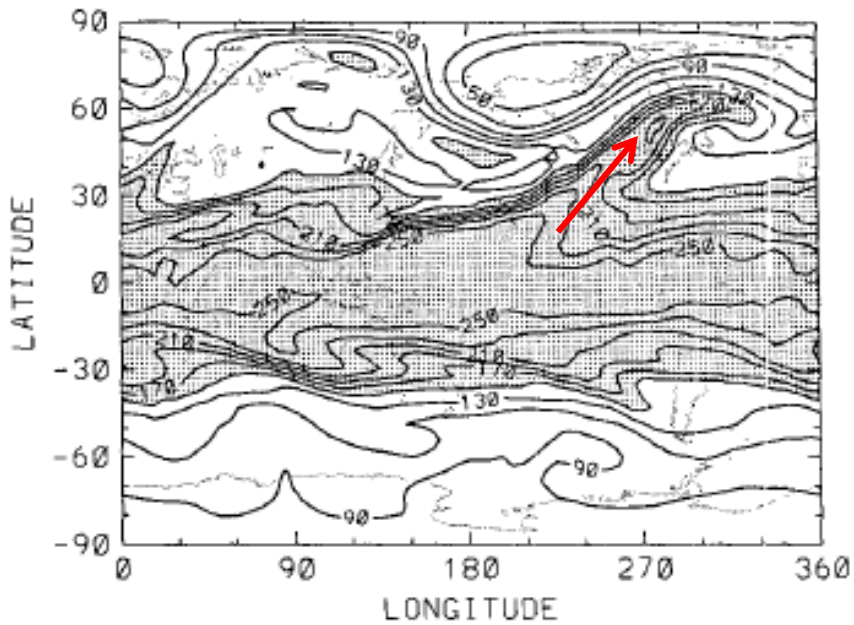
contours:
N₂O
tendency
(ppbv/100 days)



Examples of stratospheric wave mixing

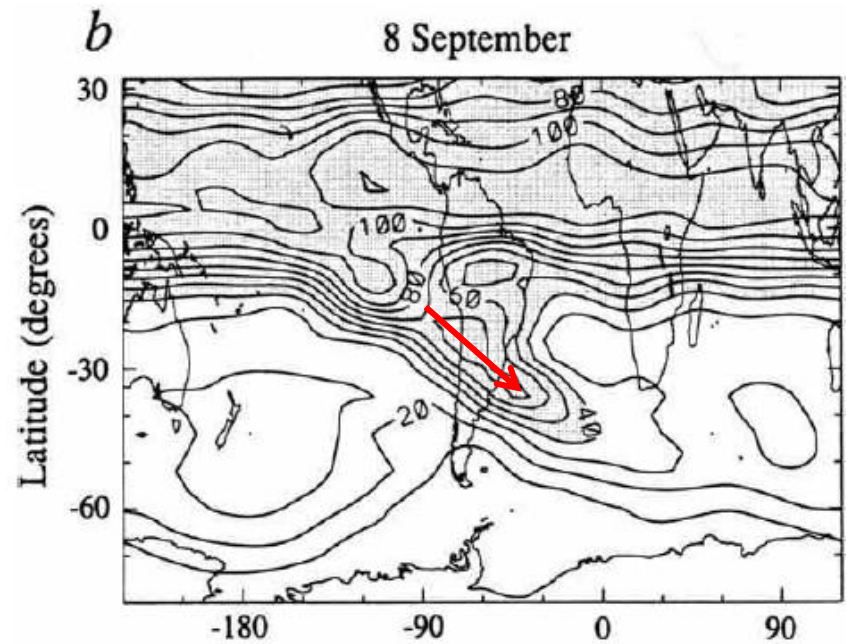
model

CCM2 N₂O February 20 30 mb



N₂O near 35 km from CLAES instrument on UARS

observations



Randel et al 1993

Tracer transport equation similar to thermodynamic equation:

tracer

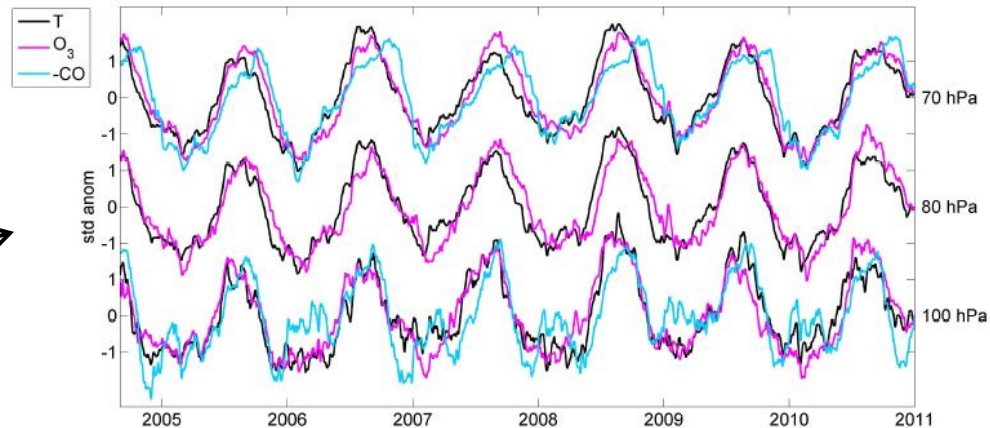
$$\frac{\partial \bar{\chi}}{\partial t} = -\bar{v}^* \frac{1}{a} \frac{\partial \bar{\chi}}{\partial \phi} - \bar{w}^* \frac{\partial \bar{\chi}}{\partial z} + \nabla \cdot \mathbf{M} + P - L$$

temperature

$$\frac{\partial \bar{T}}{\partial t} + \bar{v}^* \frac{1}{a} \frac{\partial \bar{T}}{\partial \phi} + \bar{w}^* S = \bar{Q},$$

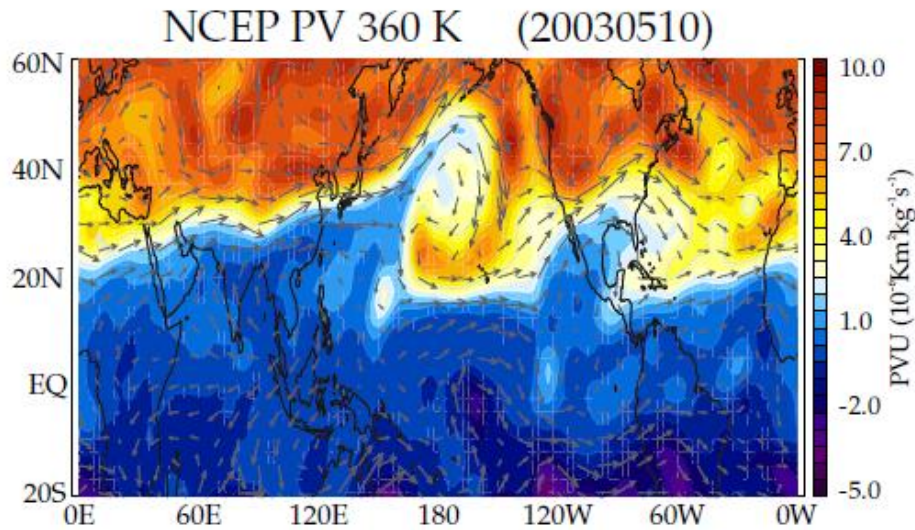
This is why temperature and tracers are sometimes highly correlated:

for example,
T, O₃ and CO
in tropical
stratosphere
(Abalos et al 2012)



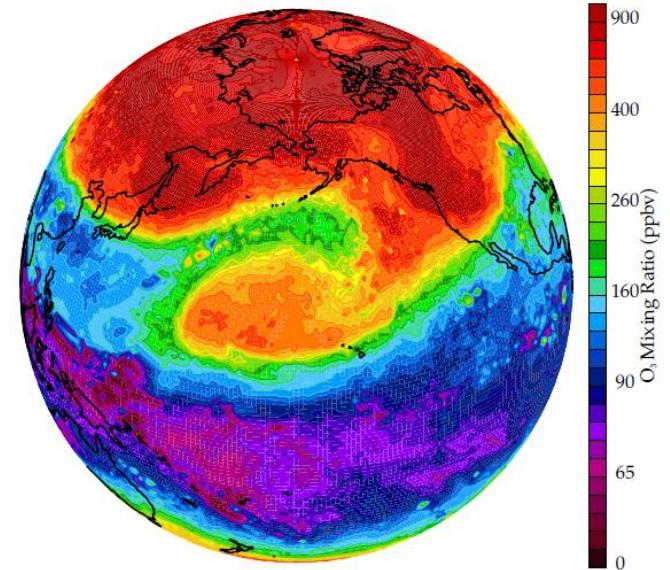
Mixing across tropopause linked to Rossby wave breaking

potential vorticity



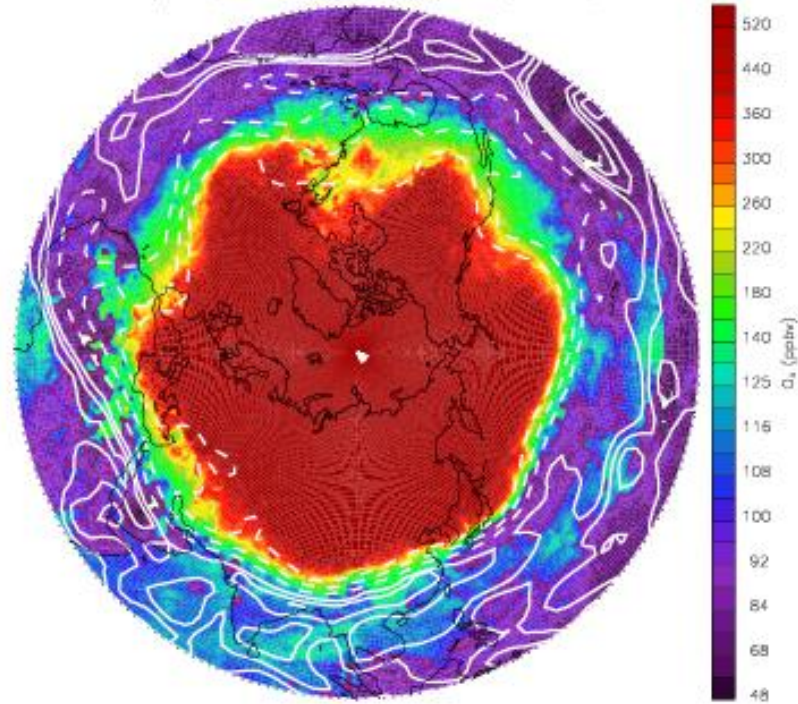
ozone derived from AIRS

AIRS O₃ 360K (MAY/10/2003)



Rossby wave variability reflected in ozone near tropopause

AIRS O₃ (NH) at 360K (JAN/01/2003)

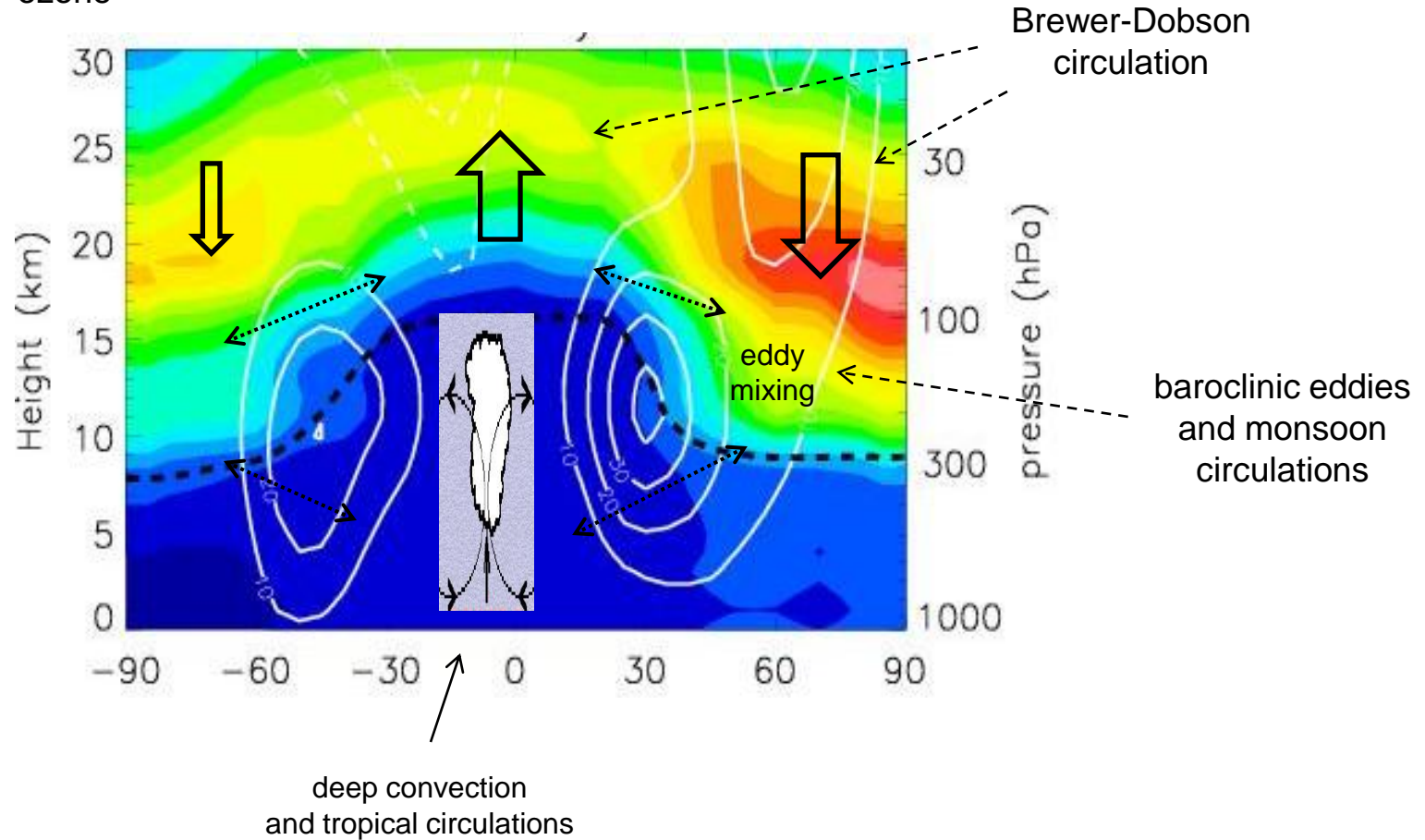


Key points:

- Stratospheric transport: Brewer-Dobson circulation and wave mixing
- Stratospheric ozone: produced in tropical stratosphere, transported to high latitudes (reflects seasonal Brewer-Dobson circulation)
- Tracer budgets: mean advection and eddy transports (tied to Rossby waves and critical layers)

UTLS circulation and transport

colors = ozone





Thank You